

Tuesday, 22 Jan

brought to you by the letters E N E R G Y

Hiromi day

housekeeping

still
Yep, you're [^]doing great!



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If you're behind, please see me after class



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Any issues with MasteringPhysics? See me!

The first MP homework appeared last Saturday night

Refunding instructions are on the blog: any luck?



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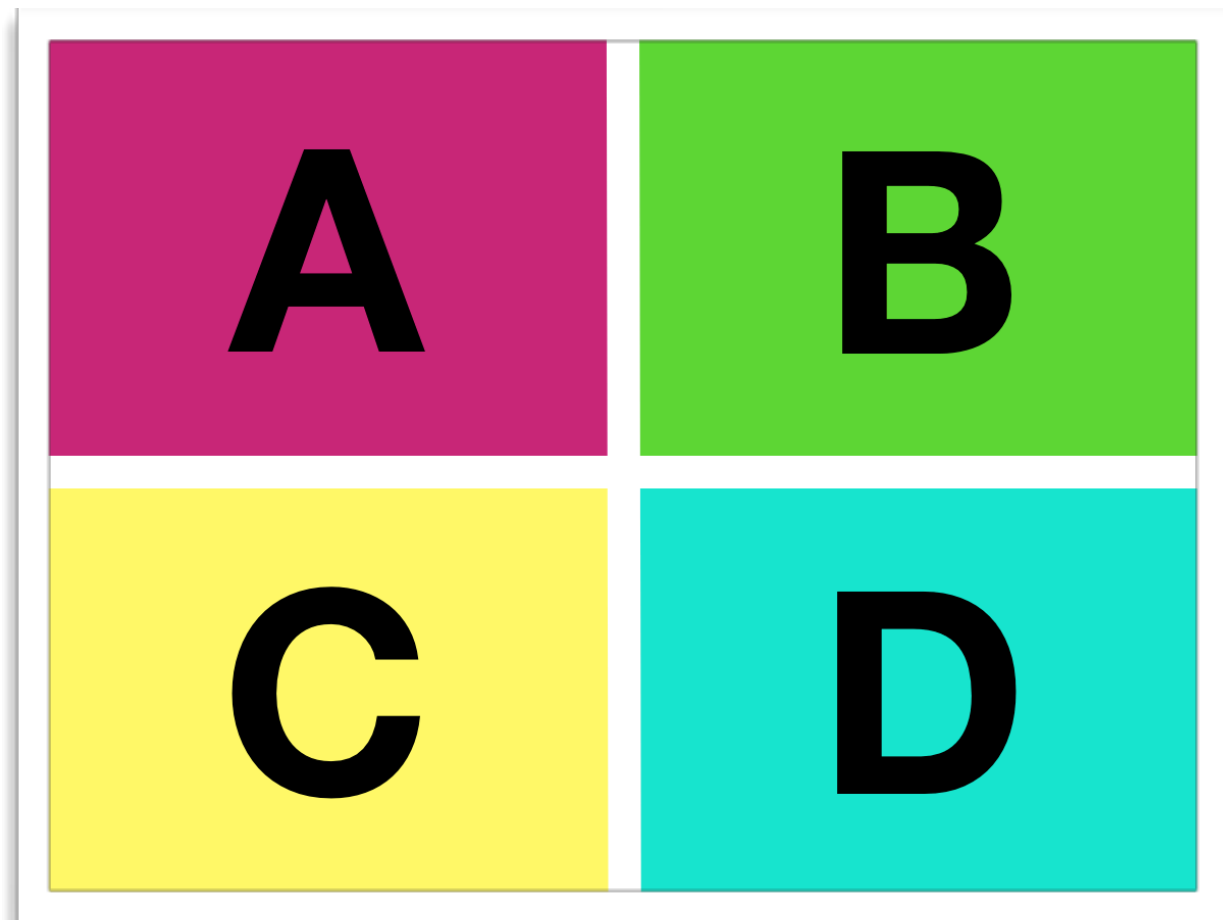
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Starting to reserve books...look at the Projects tab

Remember, I'm out of town on thursday, so no class that day



"CAPER"* cards



A

B

C

D

The routine:

1. I ask a question with **D** responses
2. You fold your card and put it on your forehead
3. Then you defend your answer to the person next to you
4. I might then ask a second time
5. "I don't know?" ...show a blank square

Bring it to class or:

There's an app for that:

<https://itunes.apple.com/us/app/capercard/id843445157?mt=8>

<https://play.google.com/store/apps/details?id=com.hexational.capercard&hl=en>

* "Center for Astronomy & Physics Education Research"

summarize mechanics to this point

primary relationships

special

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speed and acceleration...

summarize mechanics to this point

primary relationships

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speed and acceleration... $x = vt$

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primary relationships

speed and acceleration... $x = vt$ $v = at$ $x = \frac{1}{2}at^2$

special

$x = \frac{1}{2}gt^2$ near earth

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primary relationships

speed and acceleration... $x = vt$ $v = at$ $x = \frac{1}{2}at^2$

special

$$x = \frac{1}{2}gt^2 \quad \text{near earth}$$
$$a_C = \frac{v^2}{R} \quad \text{centripetal, circular}$$

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primary relationships

speed and acceleration... $x = vt$ $v = at$ $x = \frac{1}{2}at^2$

force

special

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primary relationships

speed and acceleration... $x = vt$ $v = at$ $x = \frac{1}{2}at^2$

force $F = ma$

special

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$$W = mg \quad \text{weight, near earth}$$

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momentum

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energy

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primary relationships

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force $F = ma$

momentum $p = mv$

energy $K = \frac{1}{2}mv^2$

special

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conservation of momentum

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conservation of momentum $p(1)_0 + p(2)_0 = p(1) + p(2)$

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conservation of mechanical energy

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momentum $p = mv$

energy $K = \frac{1}{2}mv^2$ $U = mgy$

conservation of momentum $p(1)_0 + p(2)_0 = p(1) + p(2)$

conservation of mechanical energy $K_0 + U_0 = K + U$

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reading quiz

a word

project last time

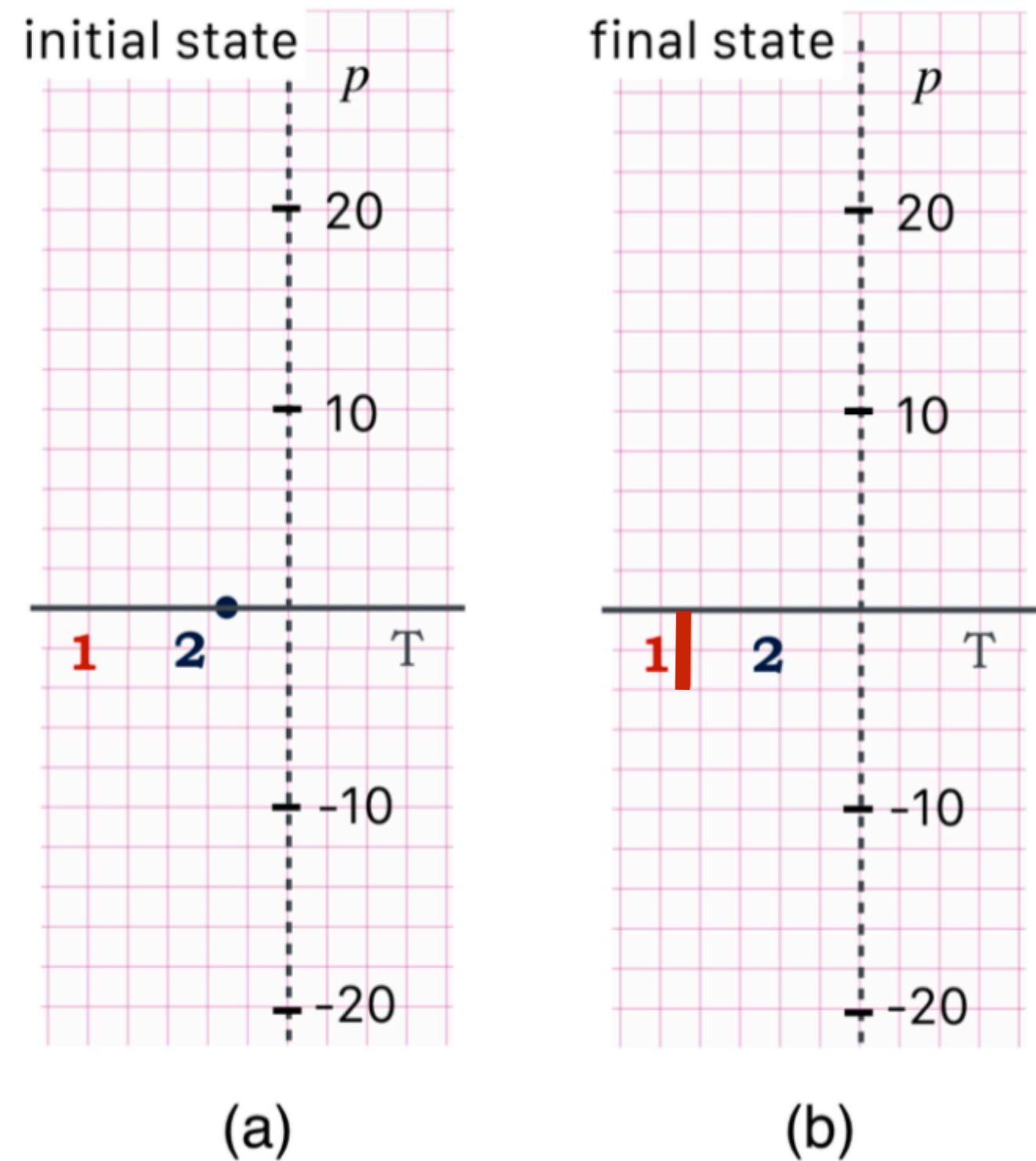
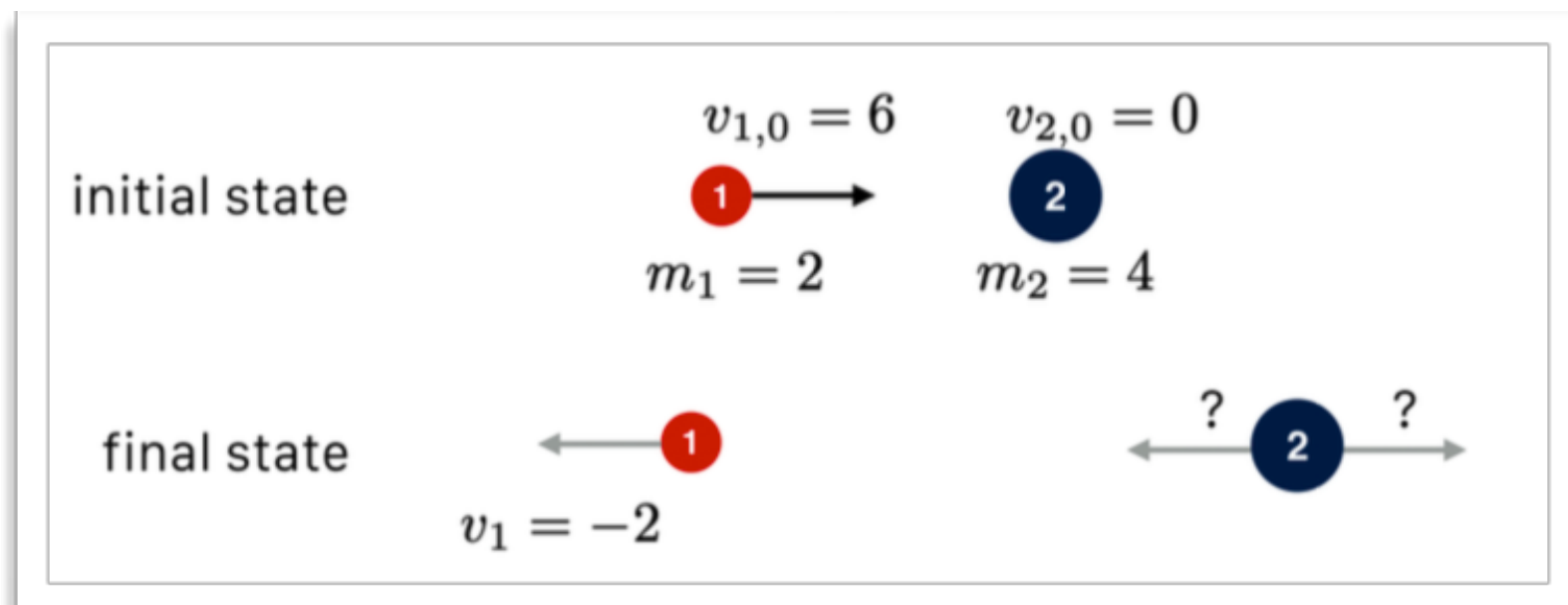
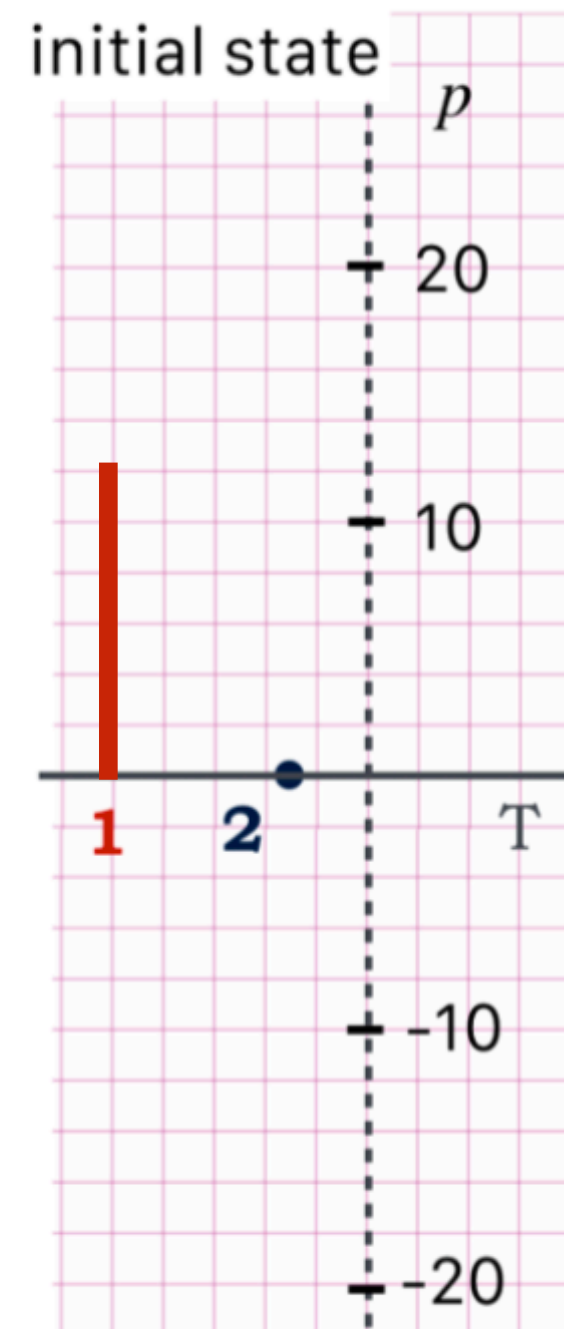
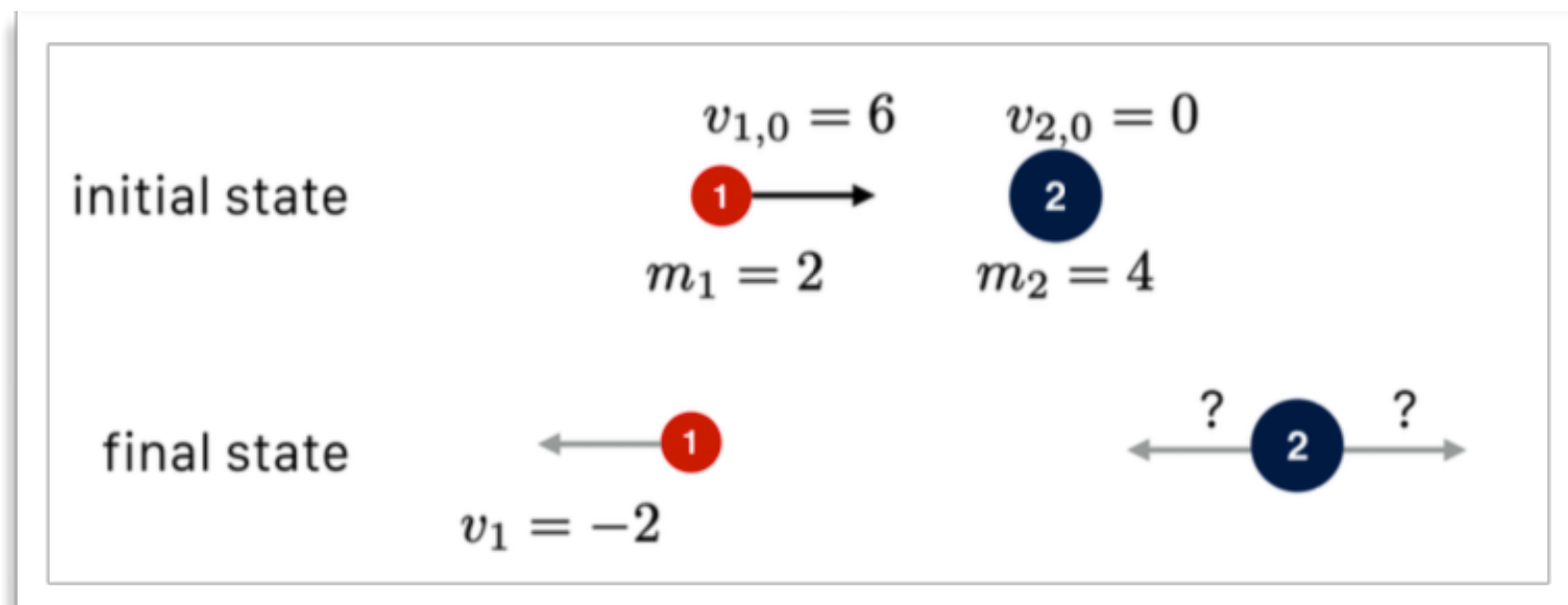
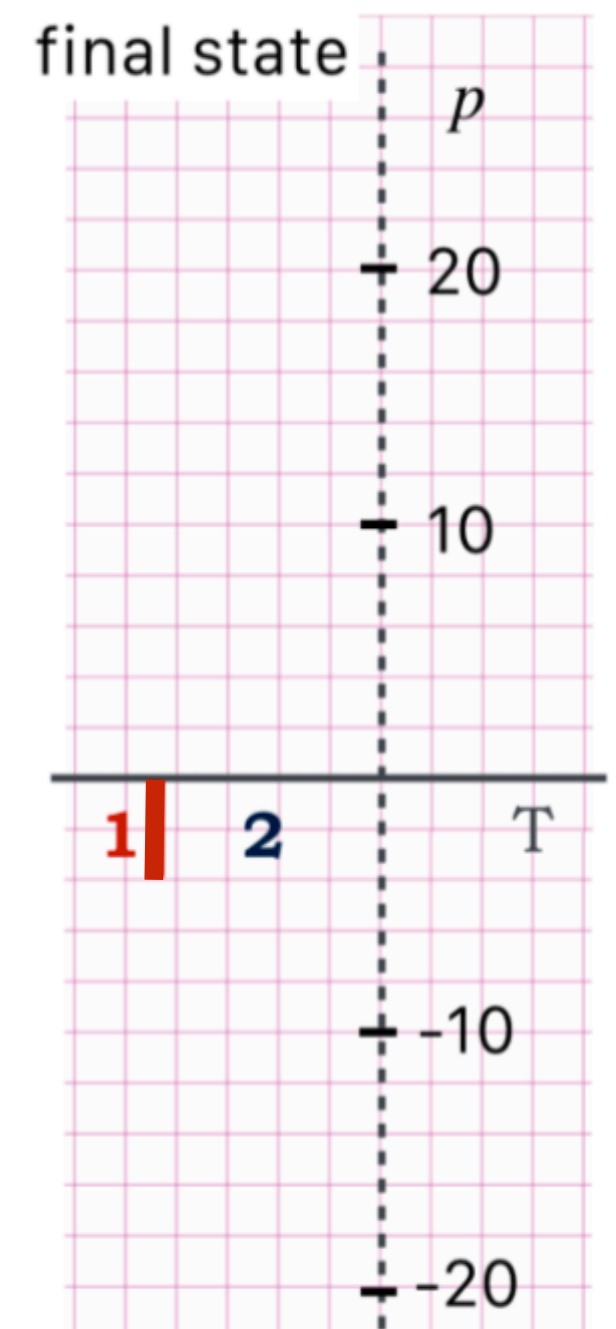


Figure 3: Momentum conservation using areas.

project last time



(a)



(b)

Figure 3: Momentum conservation using areas.

project last time

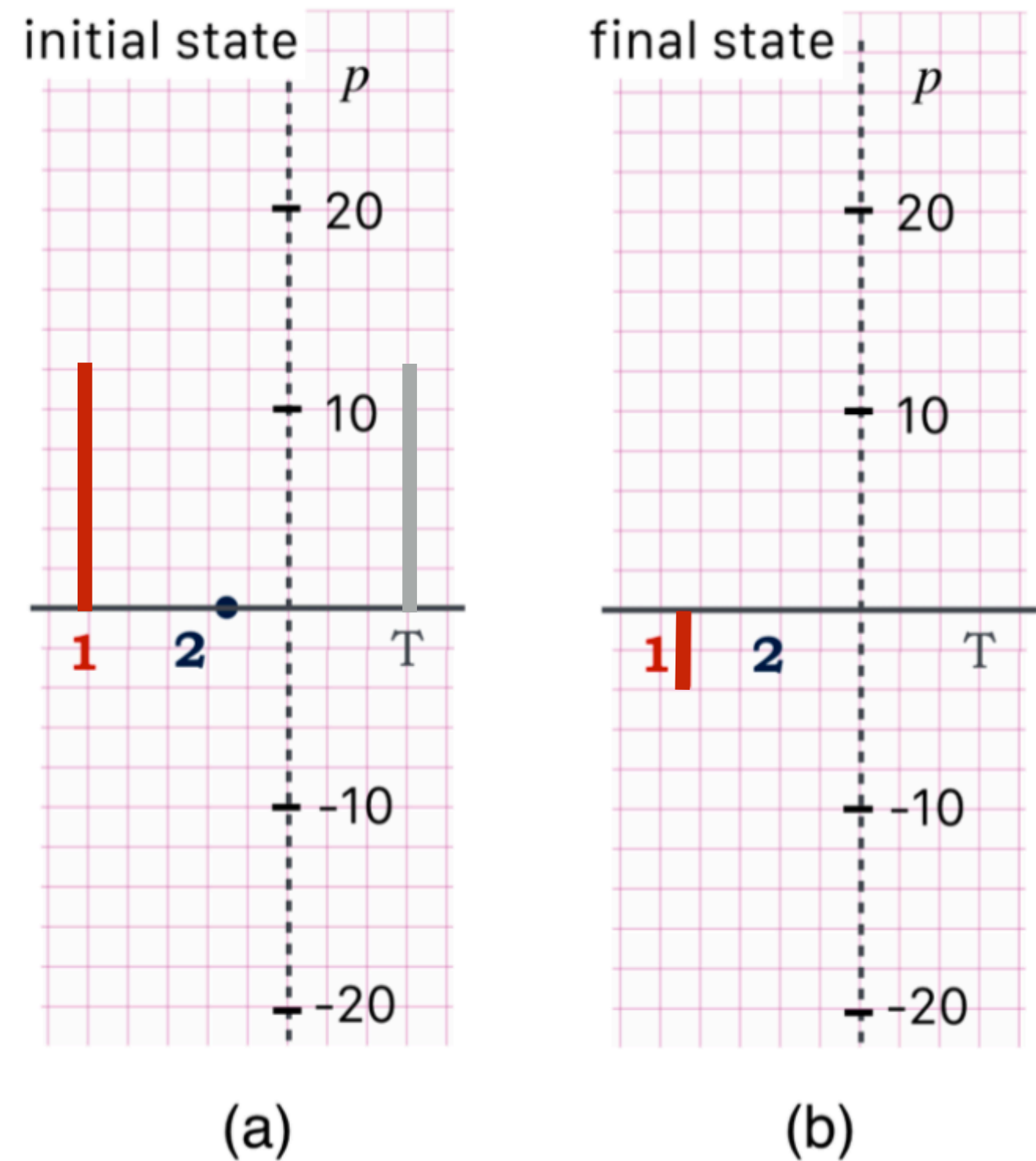
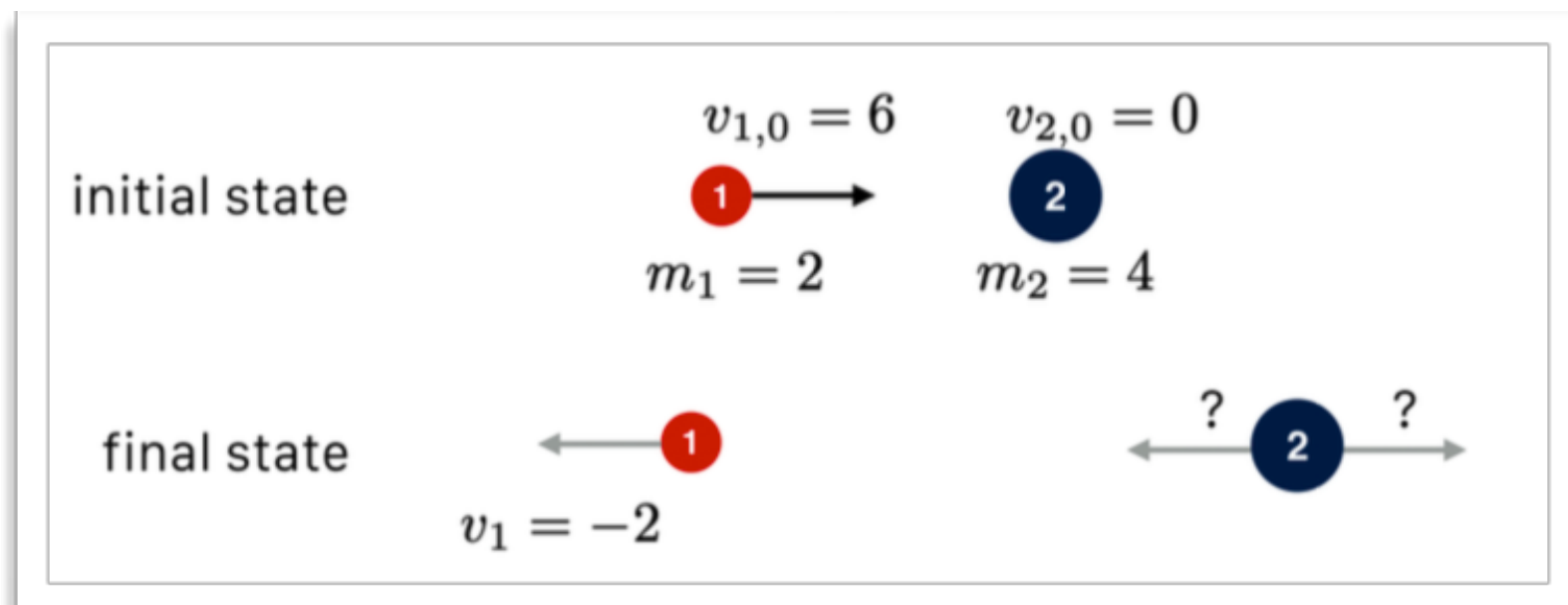
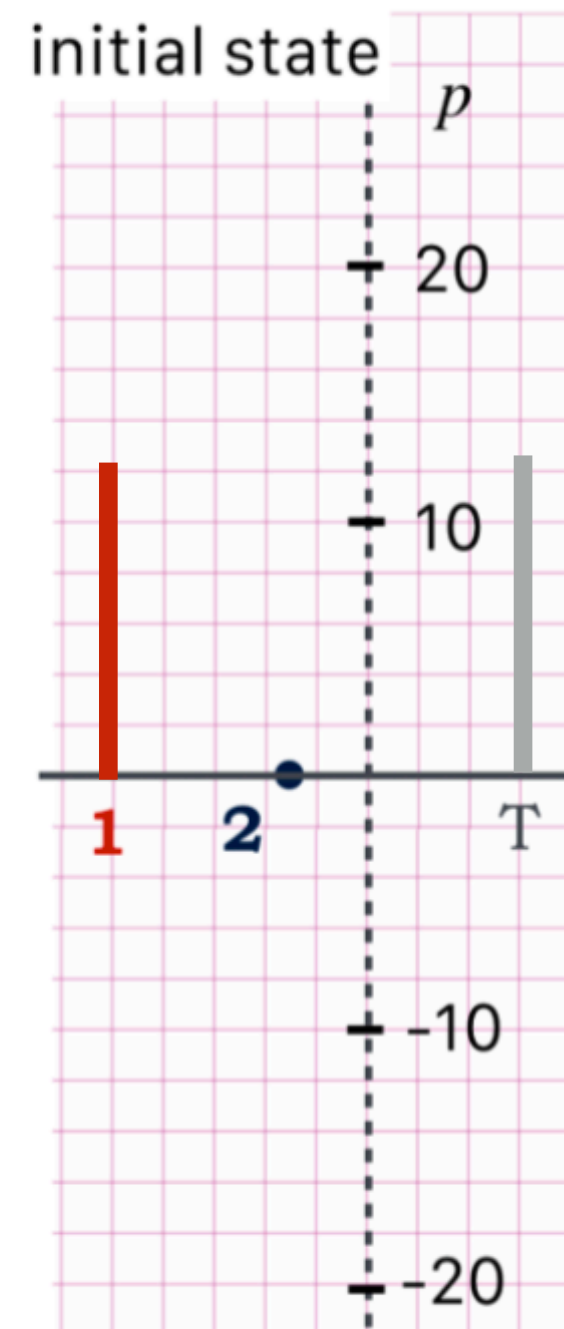
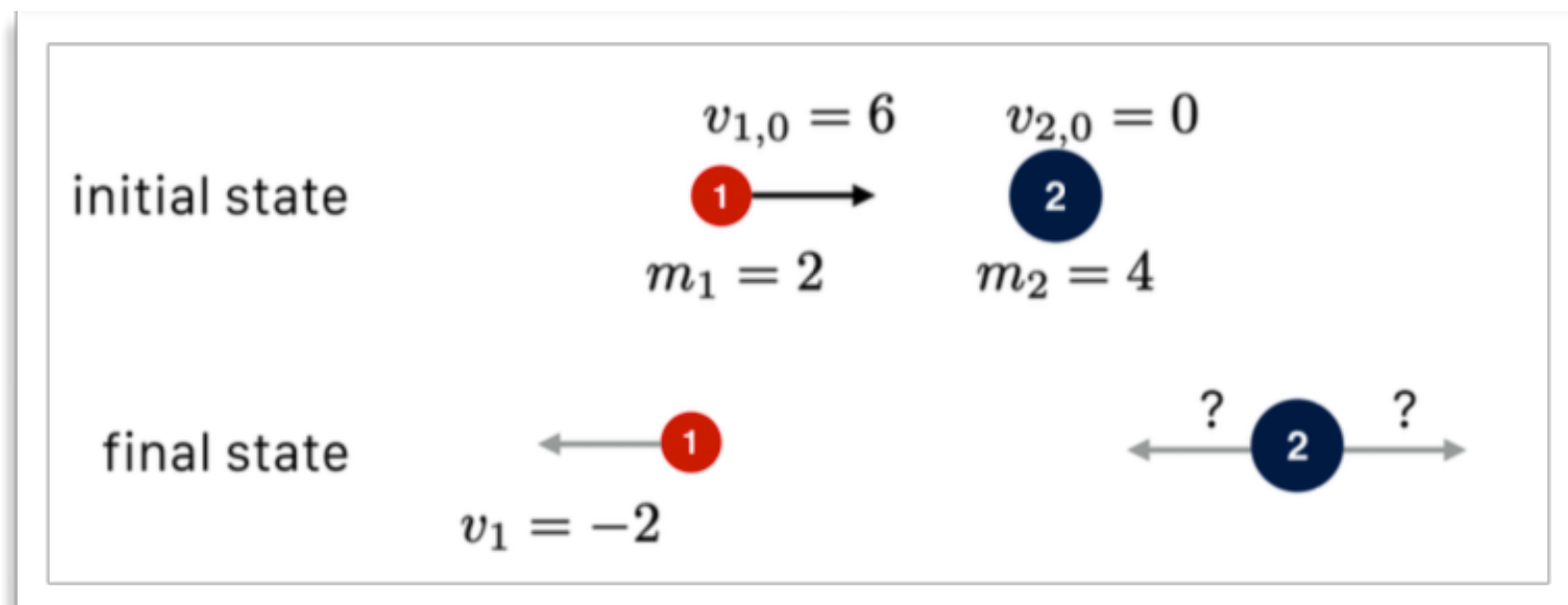
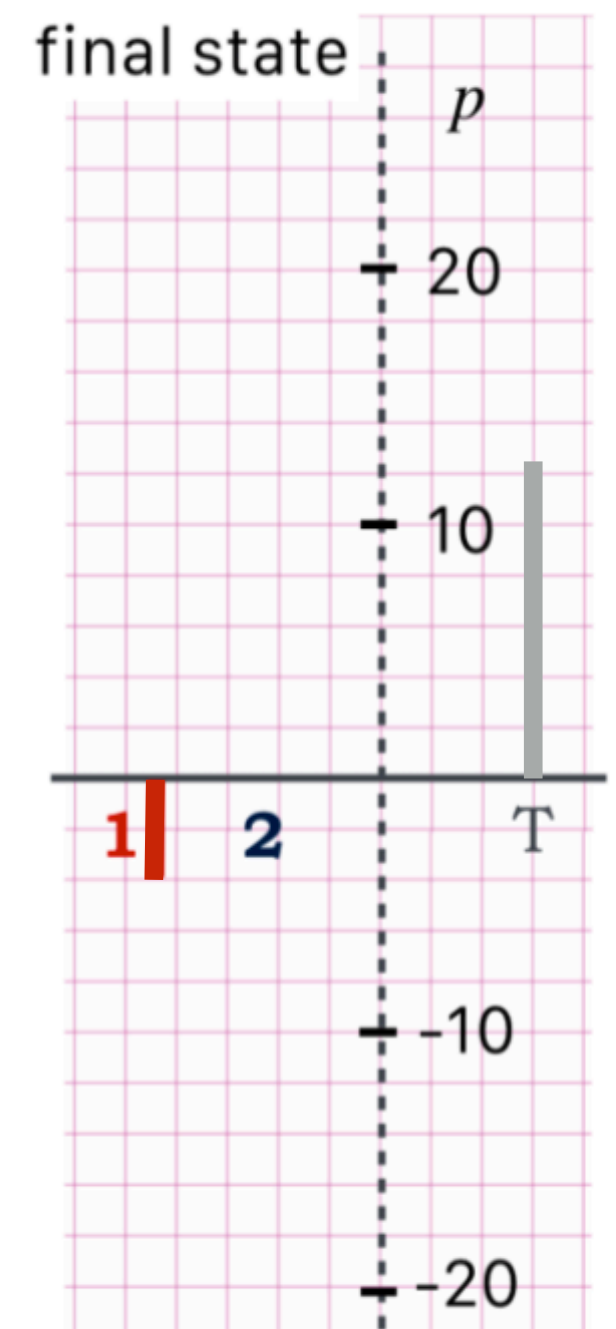


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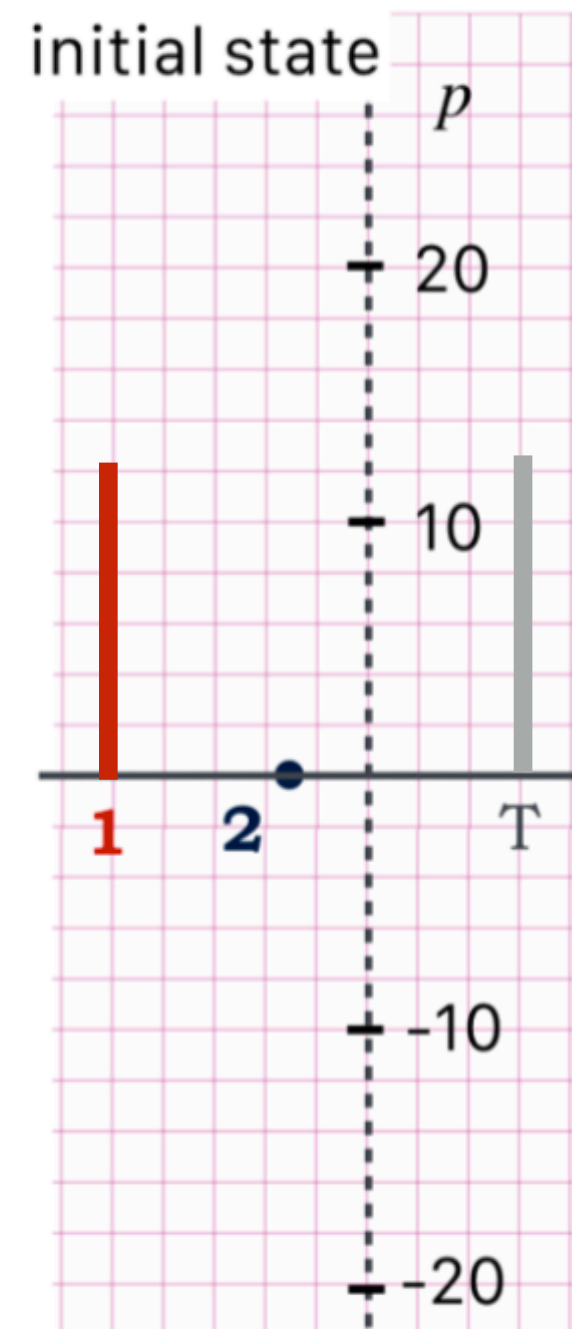
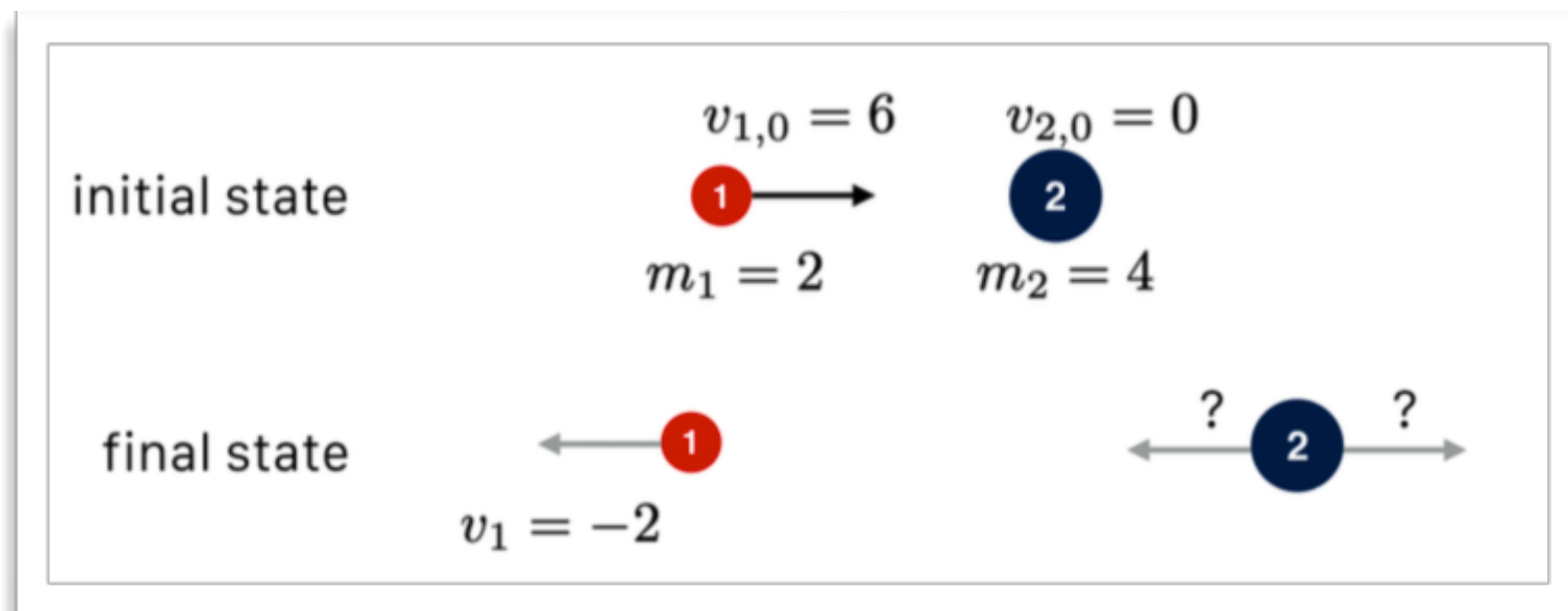
(a)



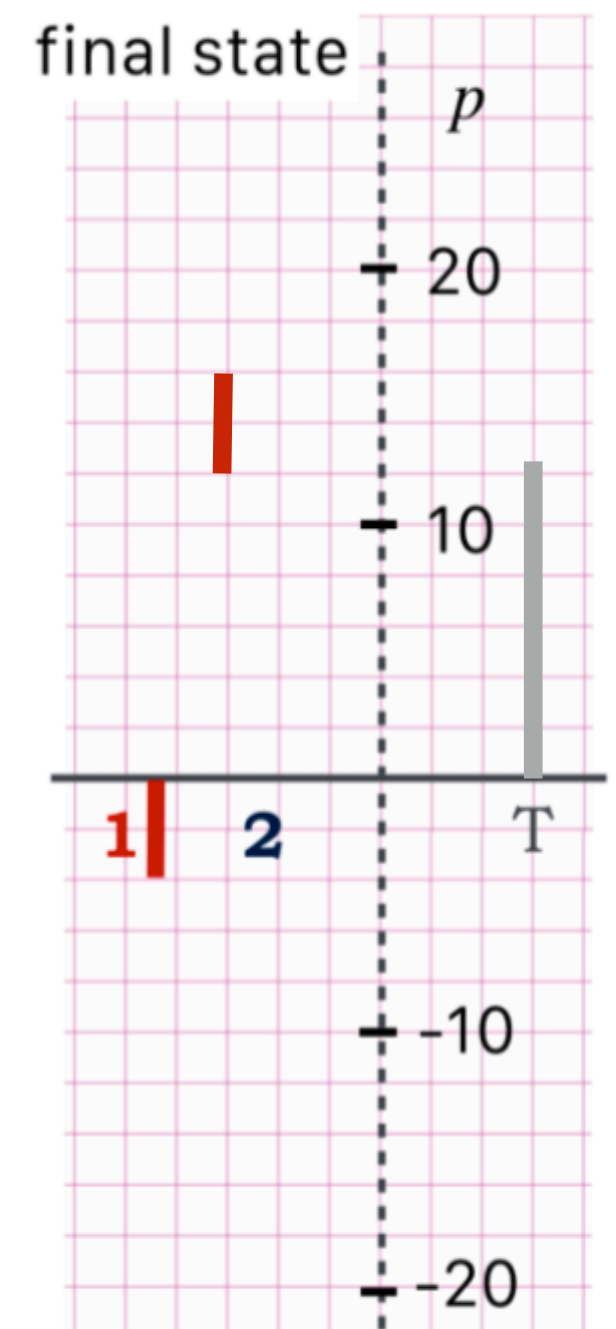
(b)

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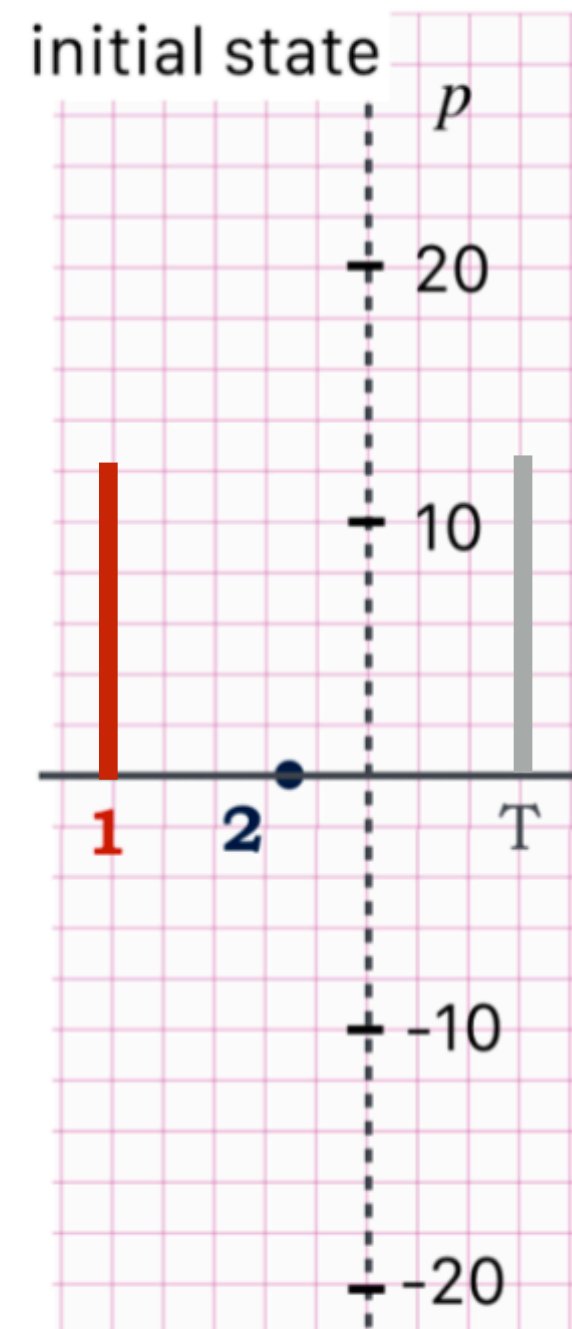
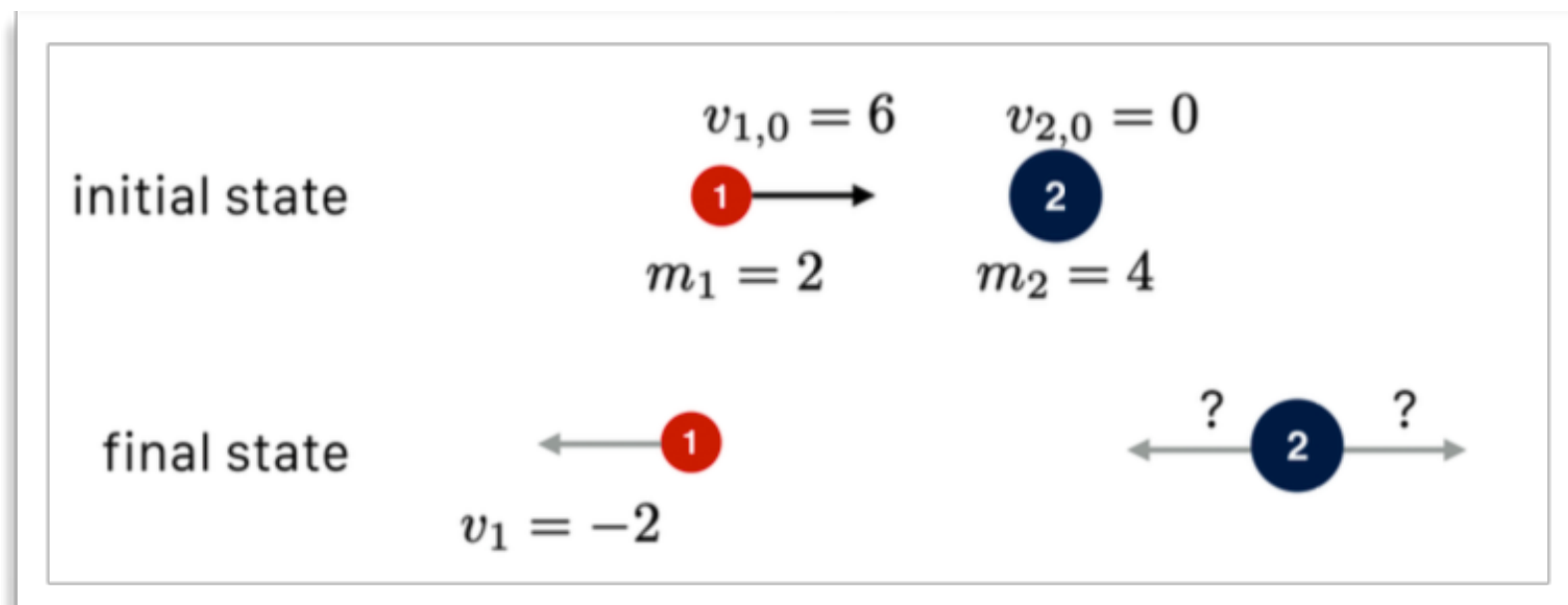
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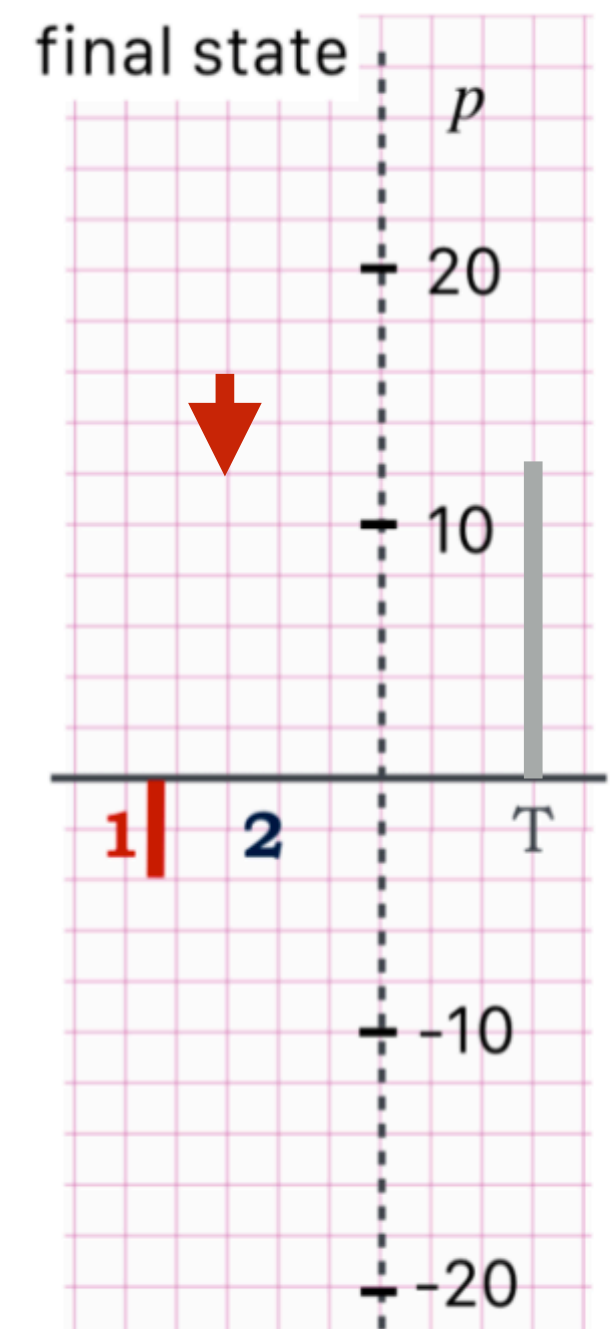
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(b)

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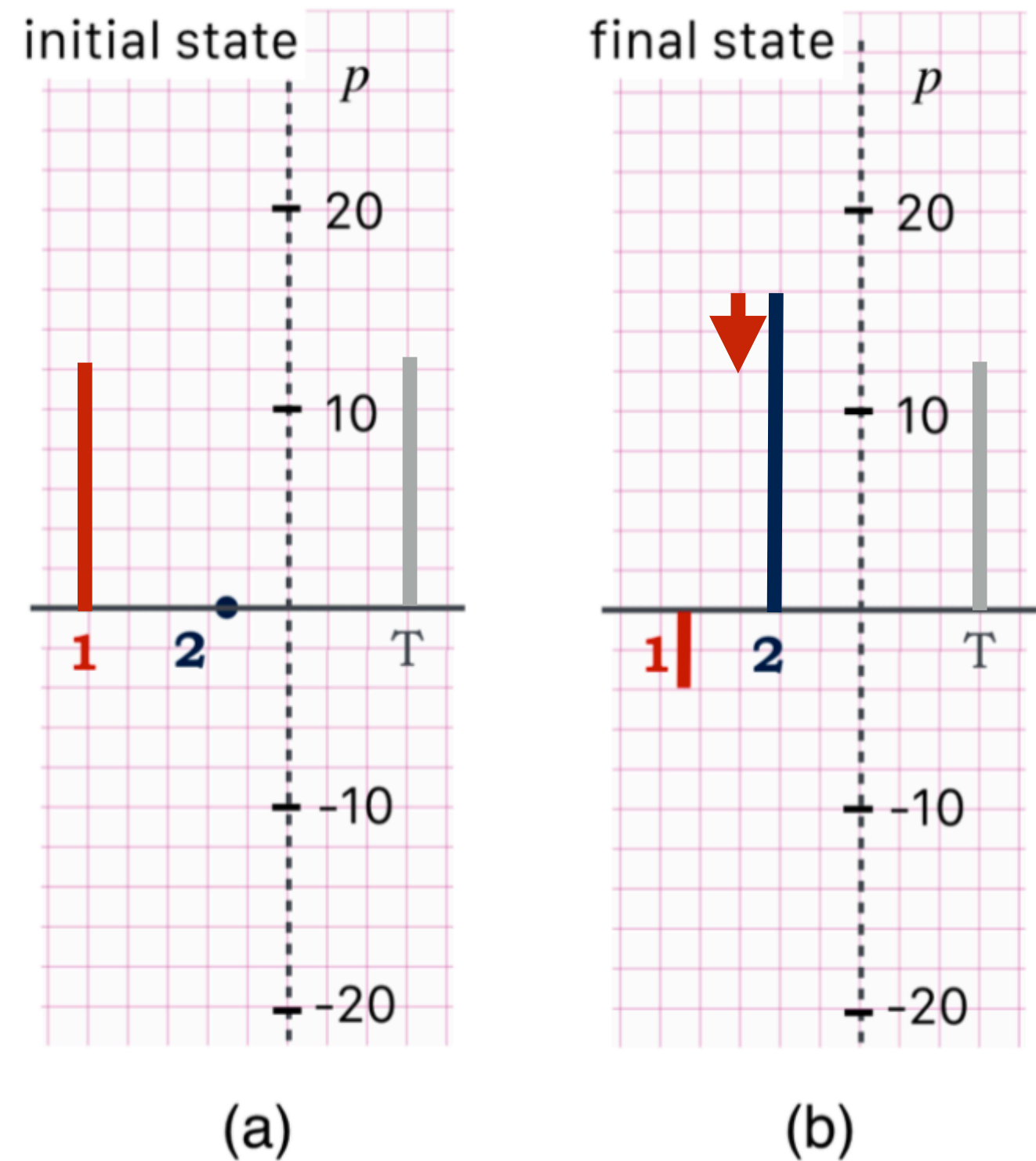
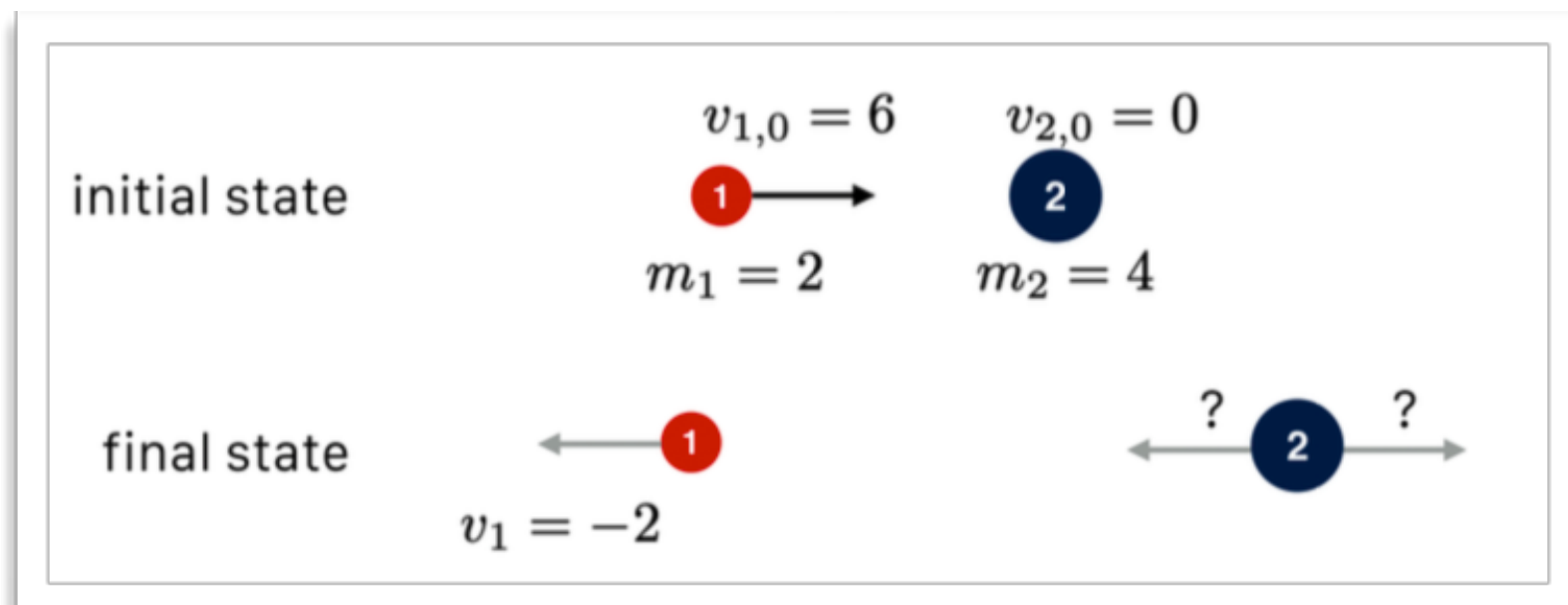
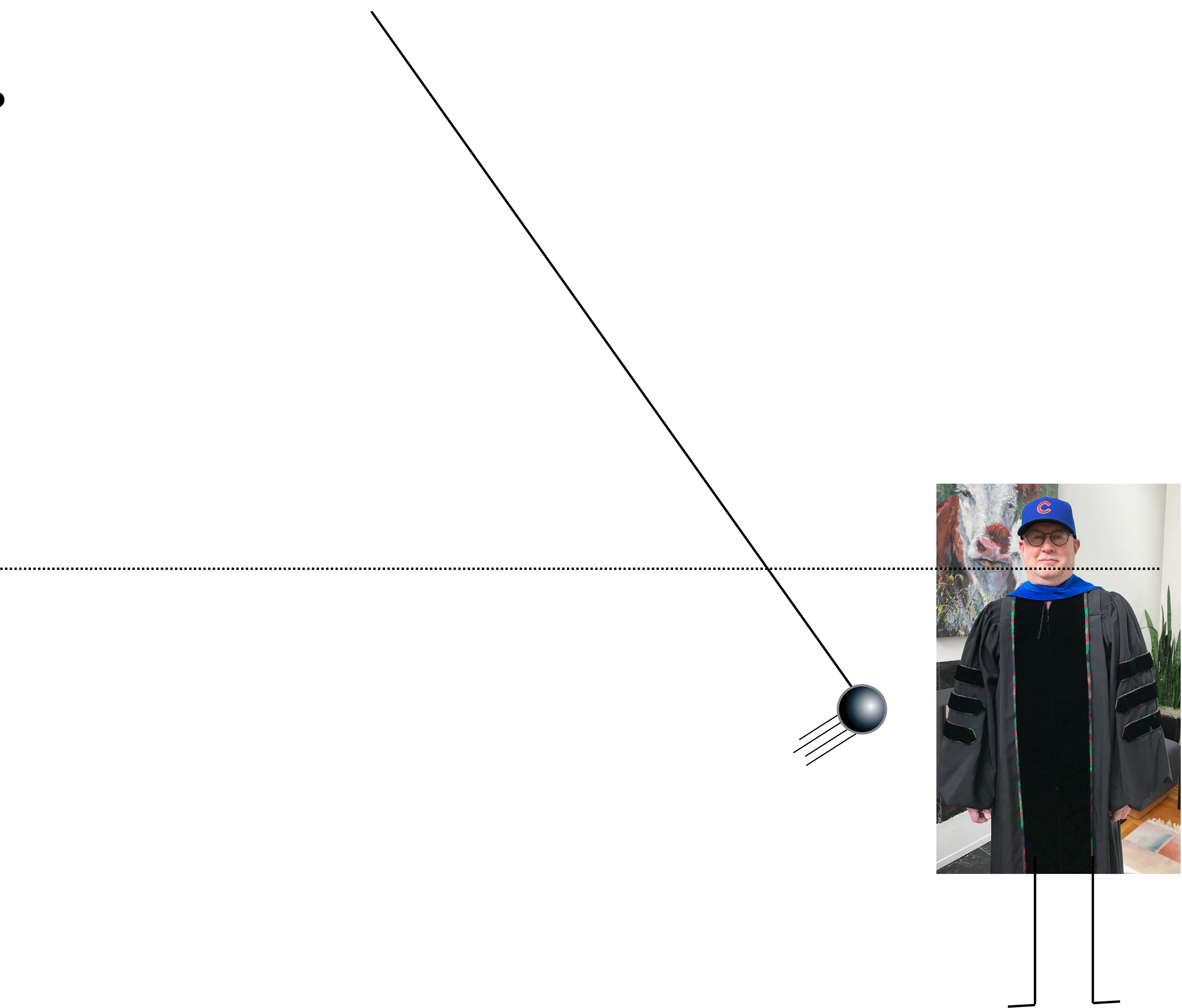


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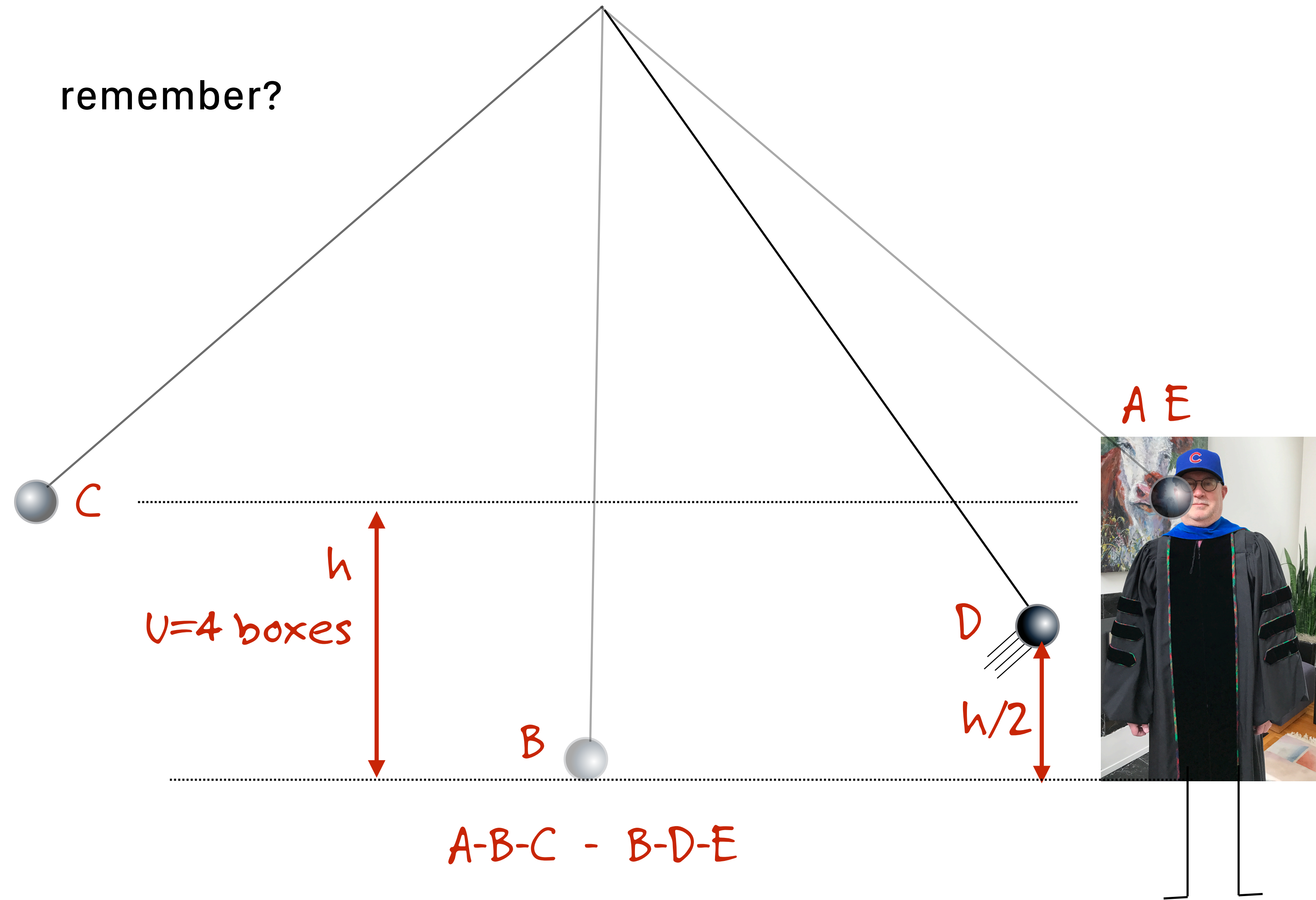
demonstrations

some questions for all of us

remember?



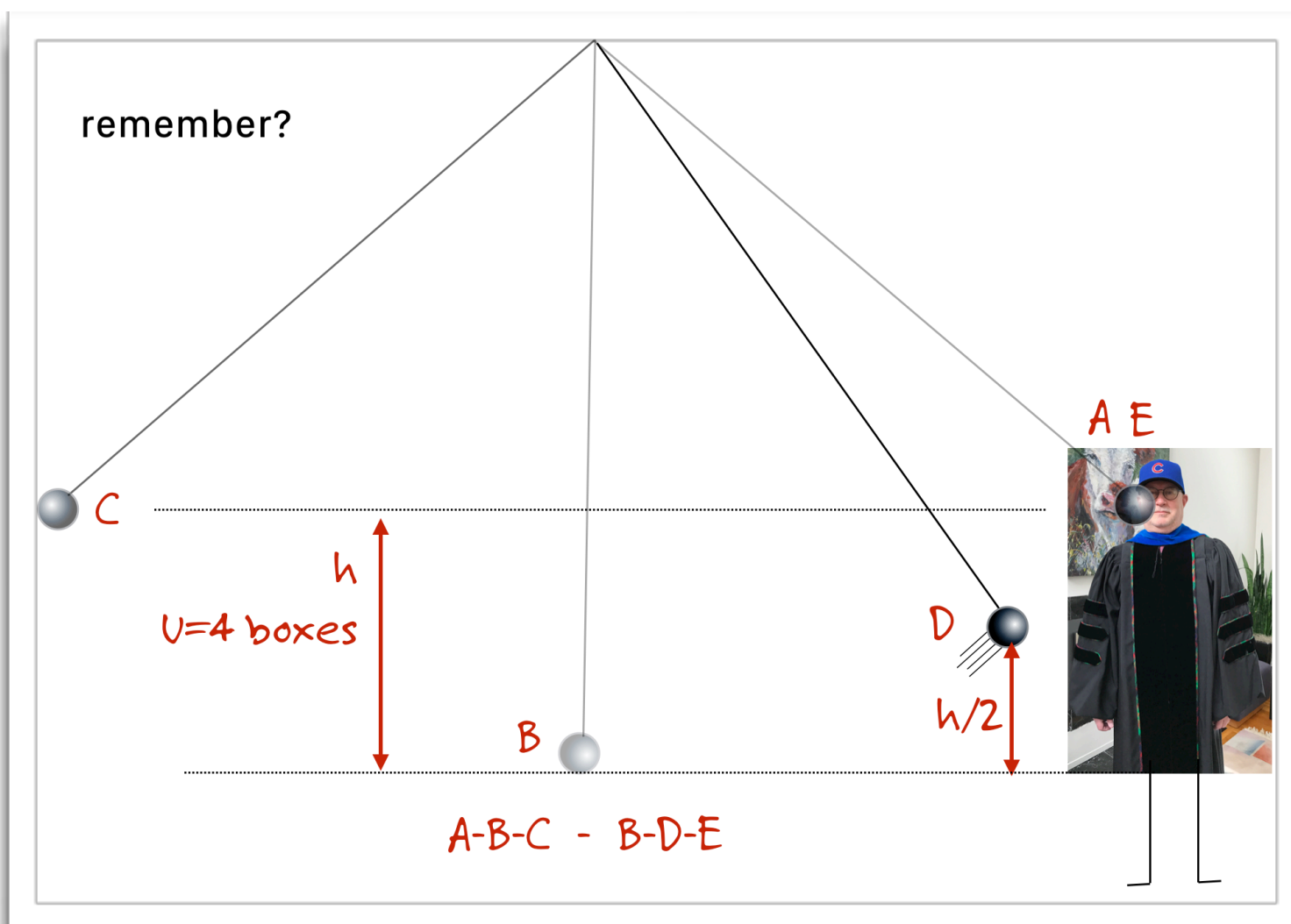
remember?



answer, defend

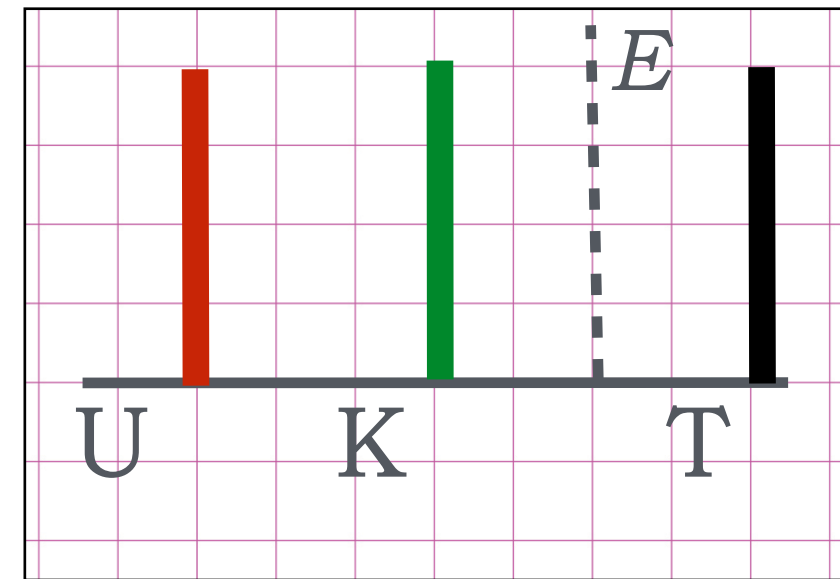
First time:

I let it drop at A

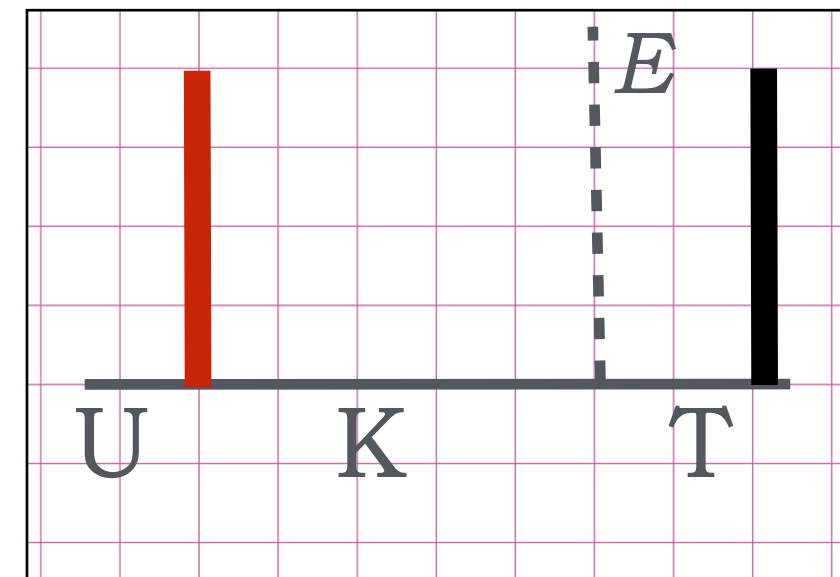


A at the beginning is best described as:

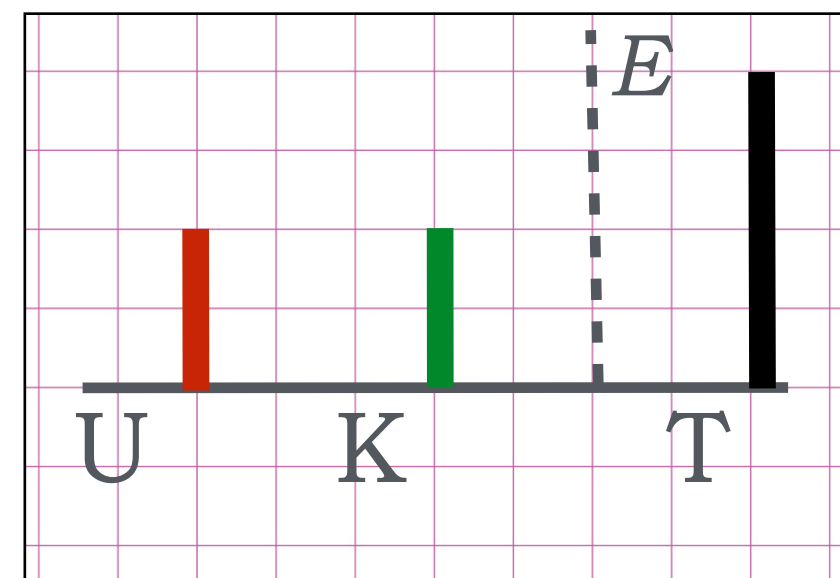
A



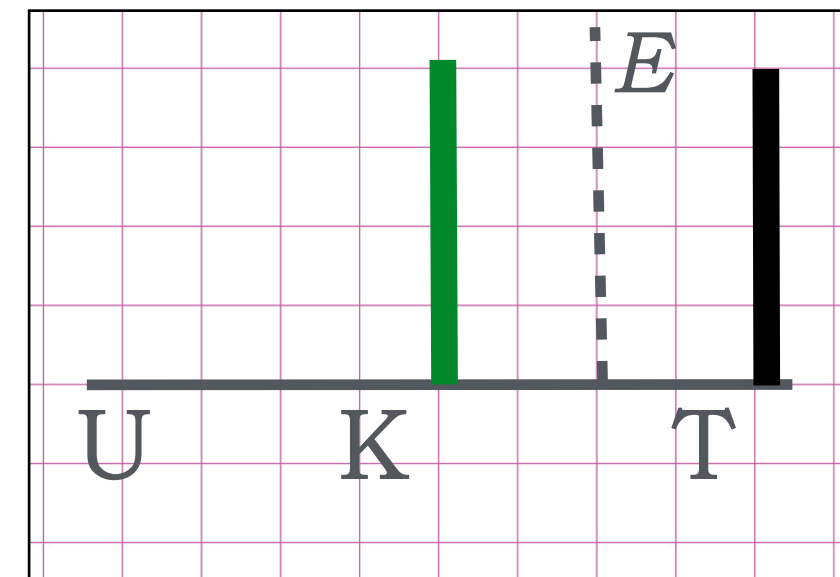
B



C



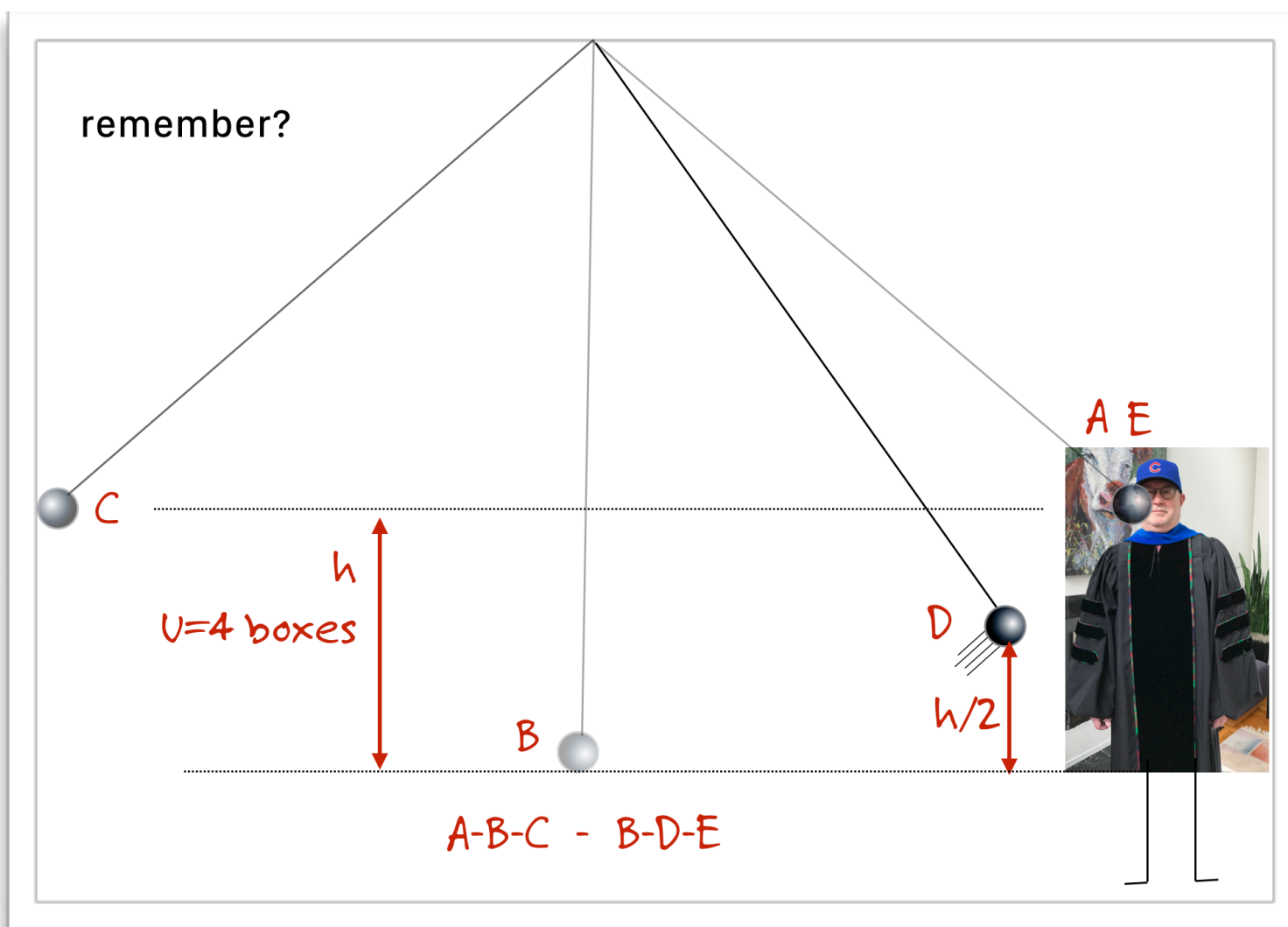
D



answer, defend

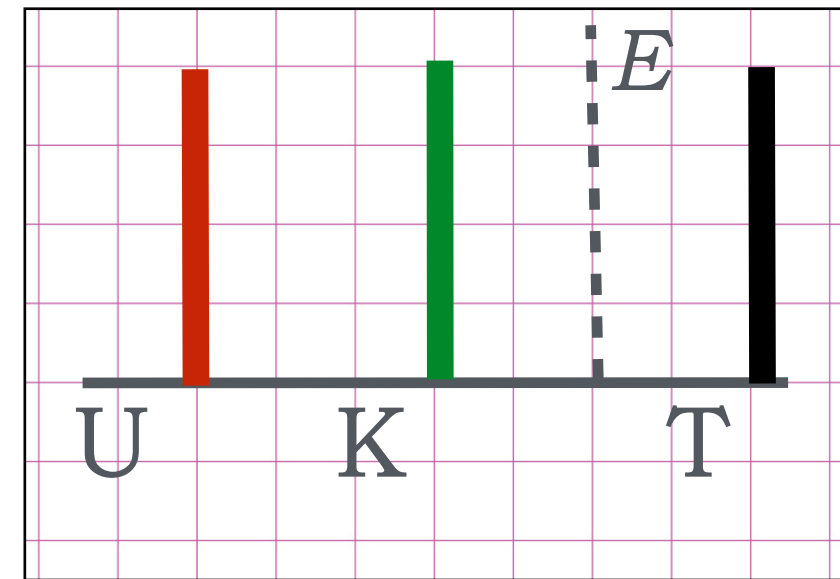
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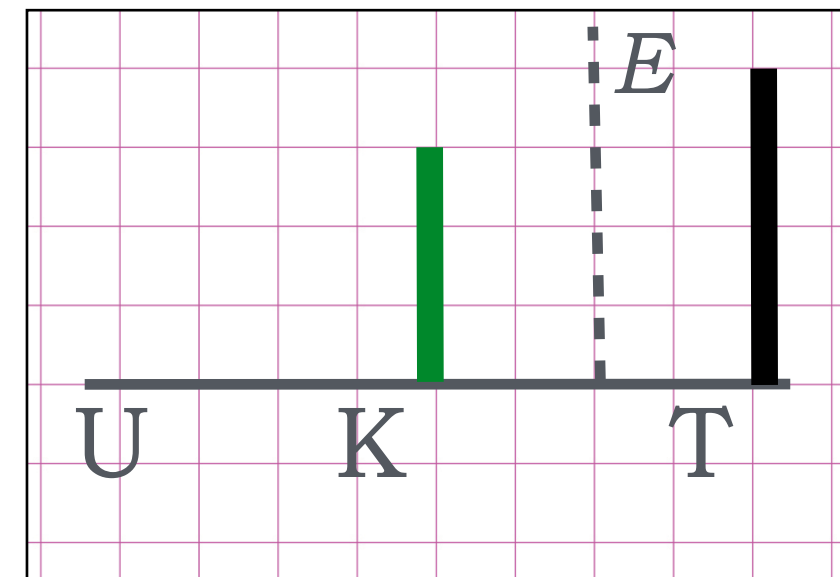


B on the way down is
best described as:

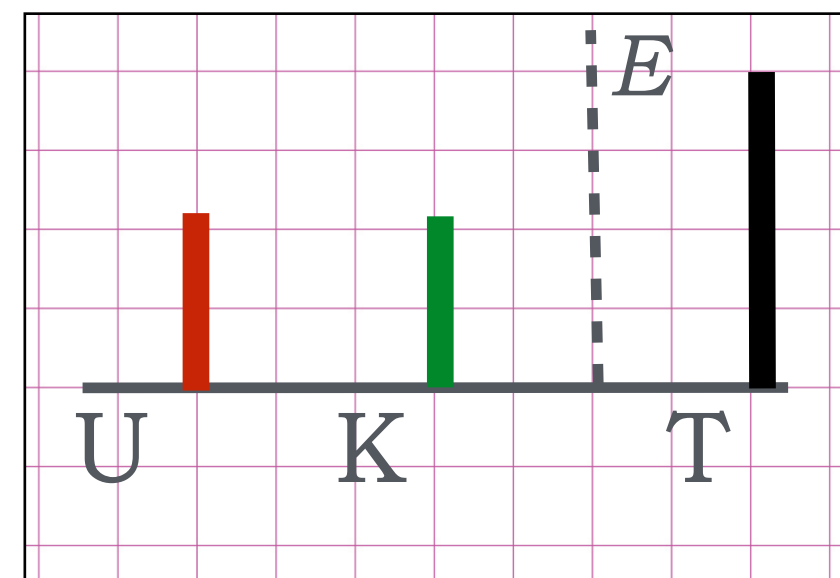
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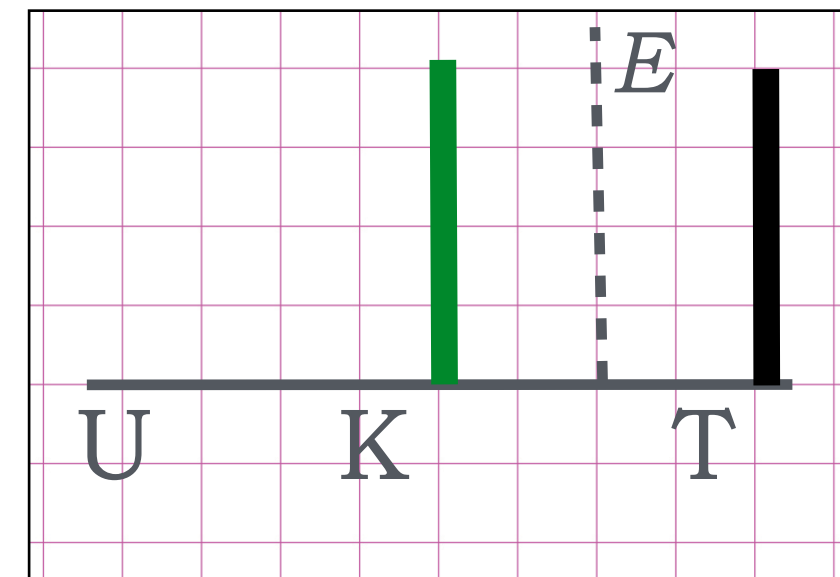
B



C



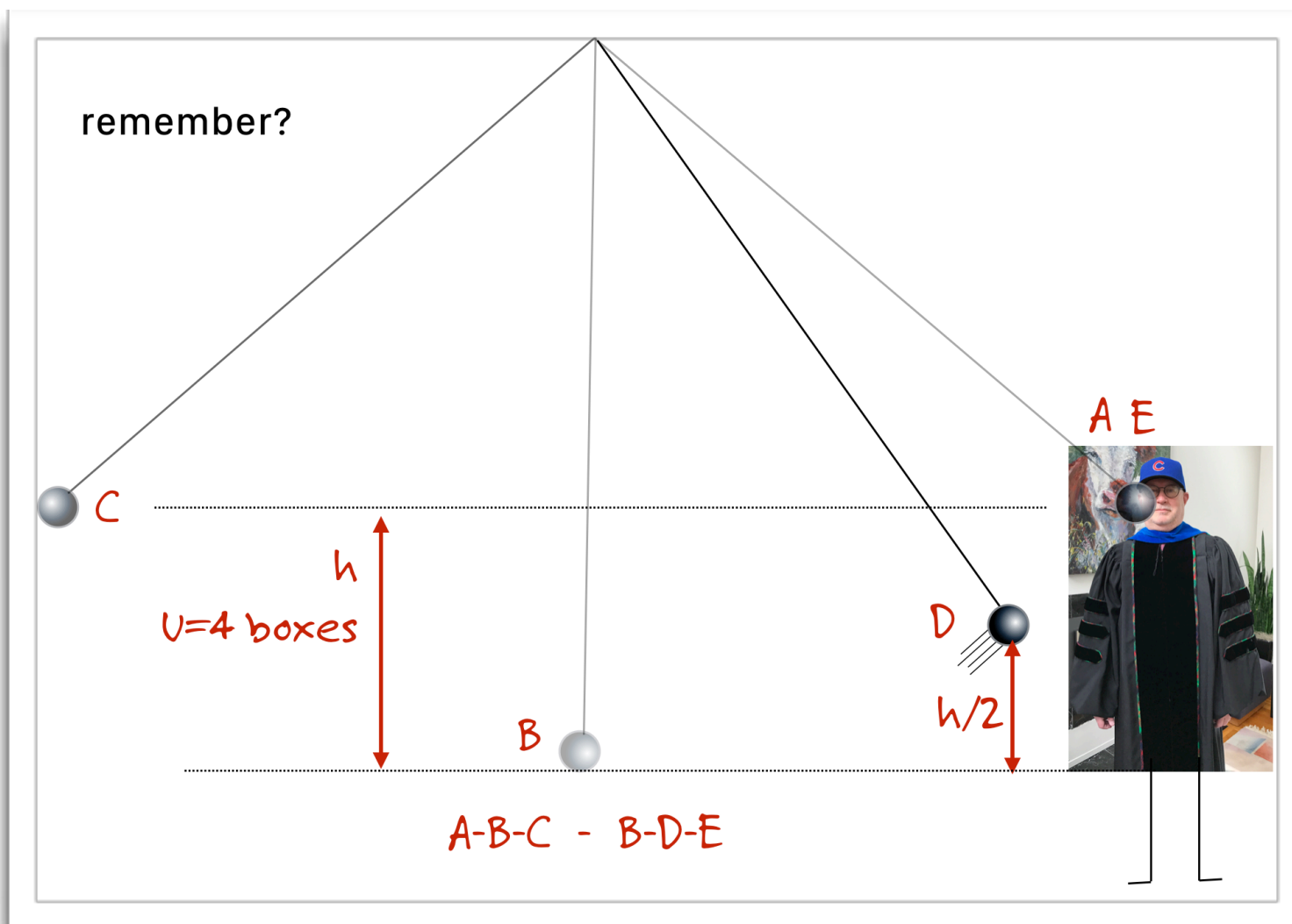
D



answer, defend

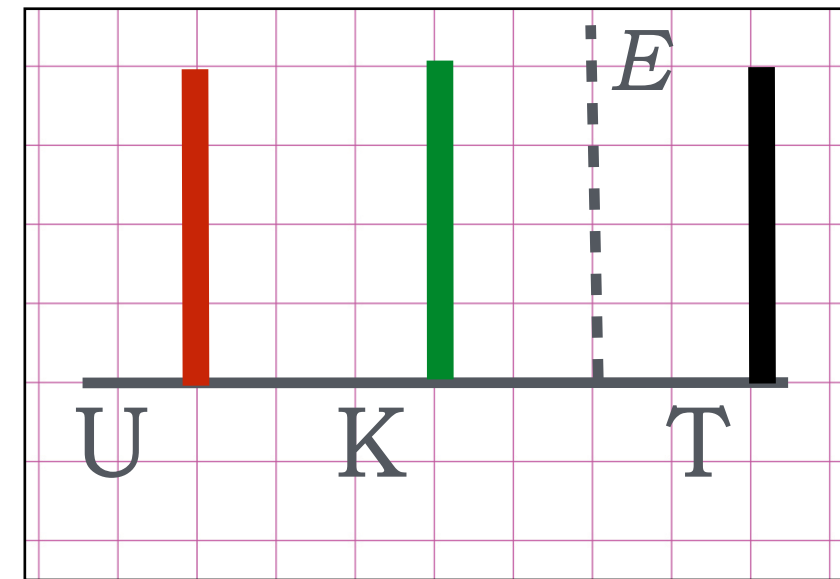
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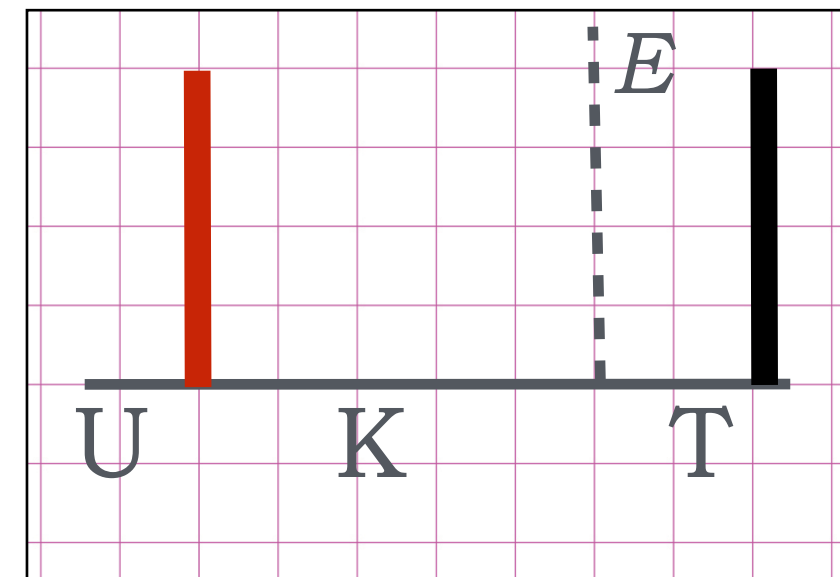


C is best described
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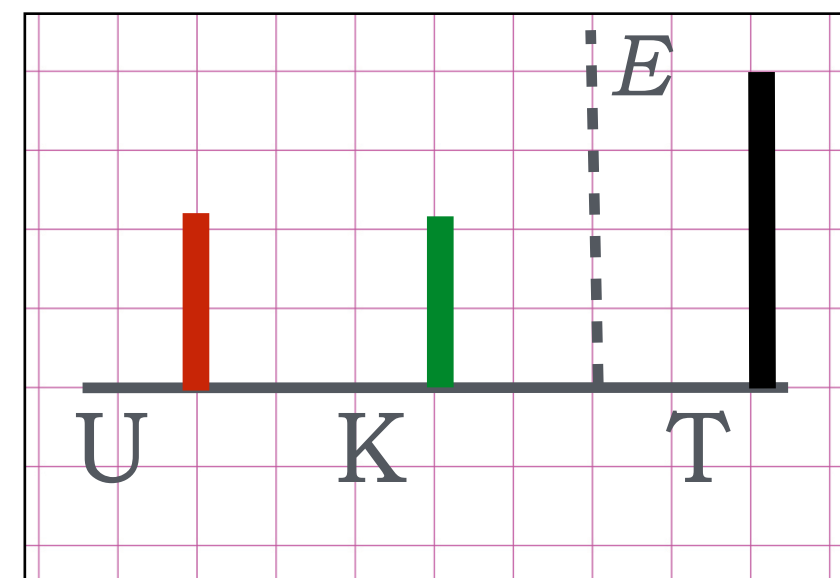
A



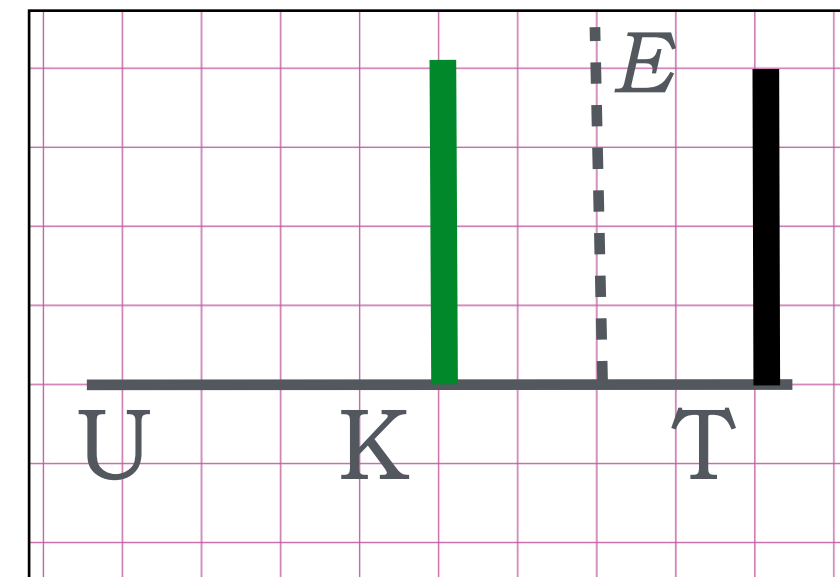
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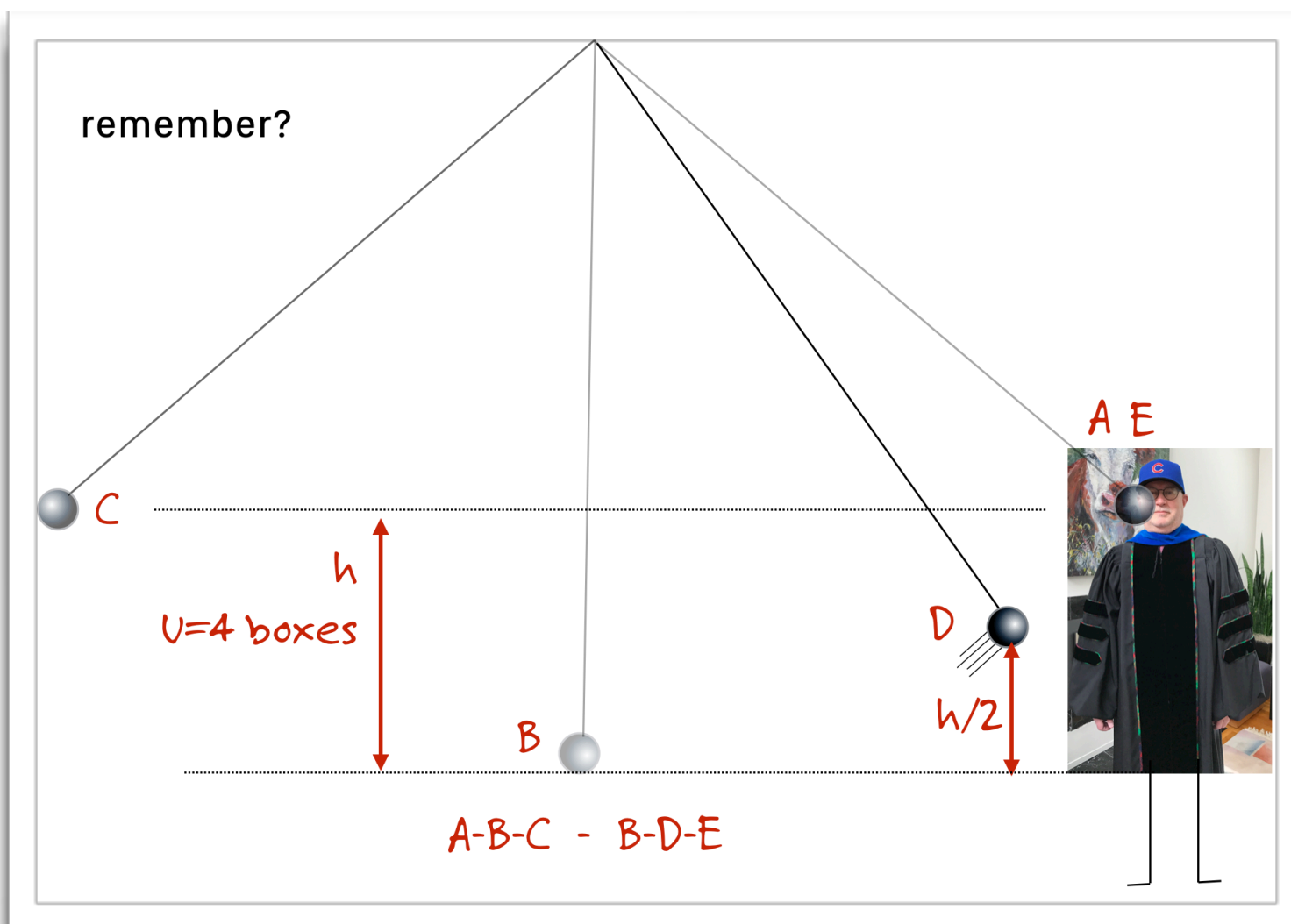
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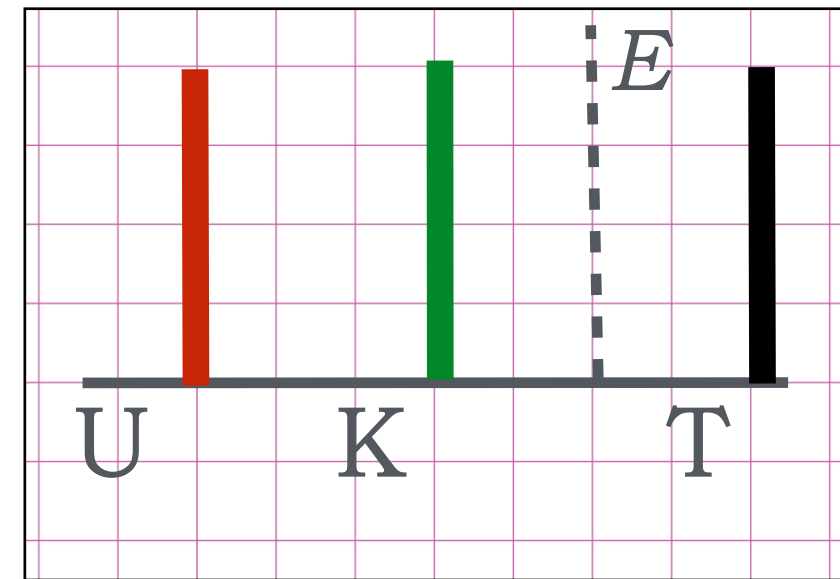
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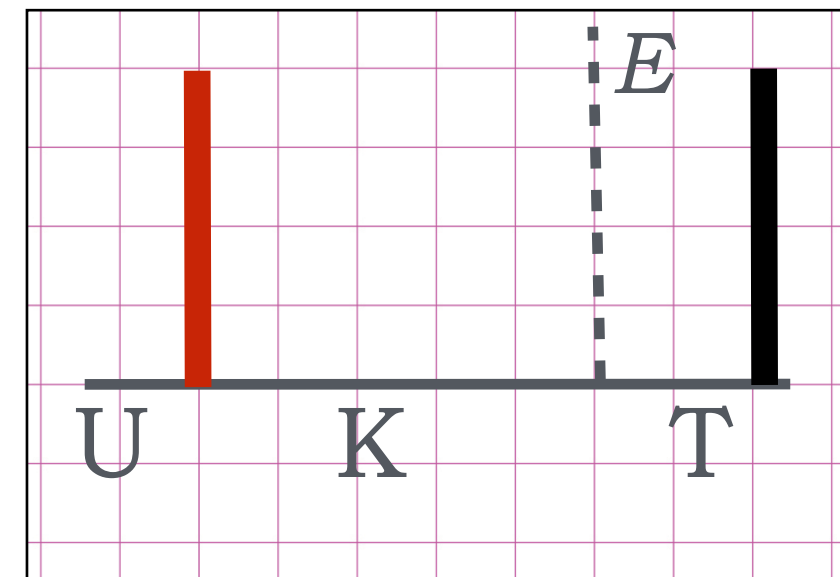


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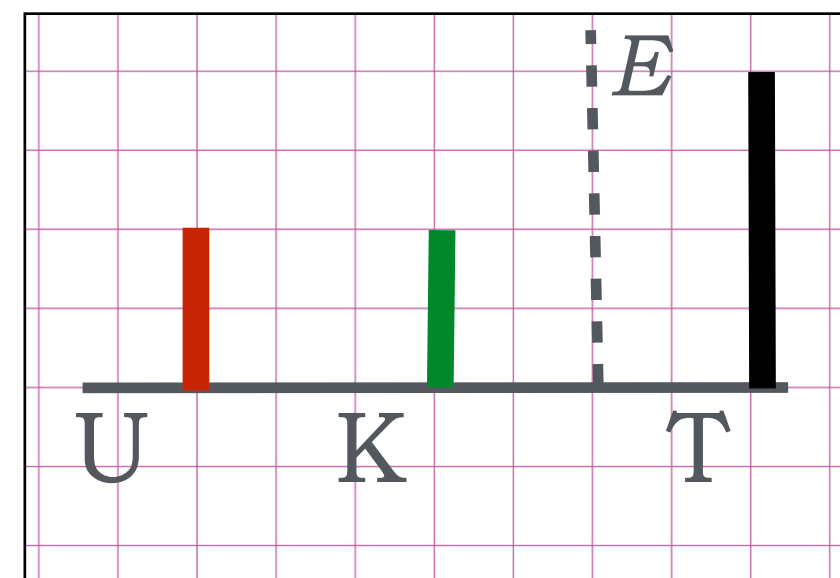
A



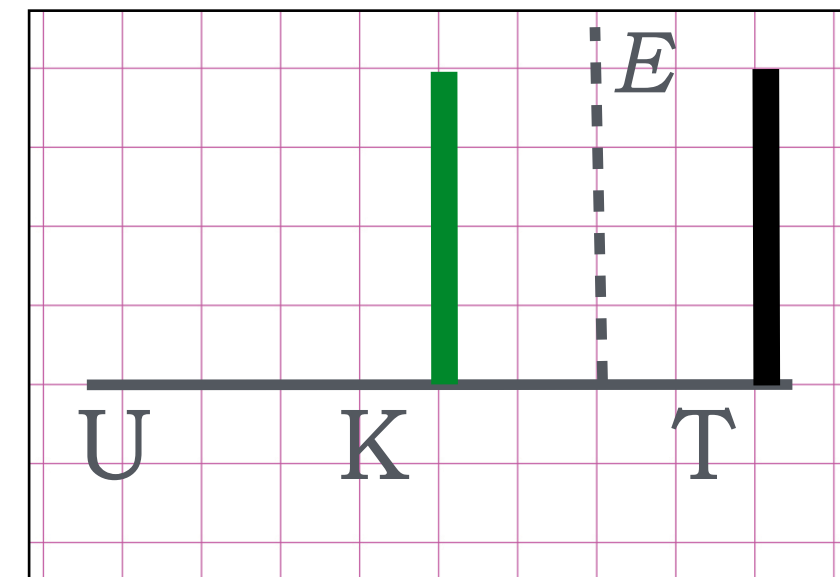
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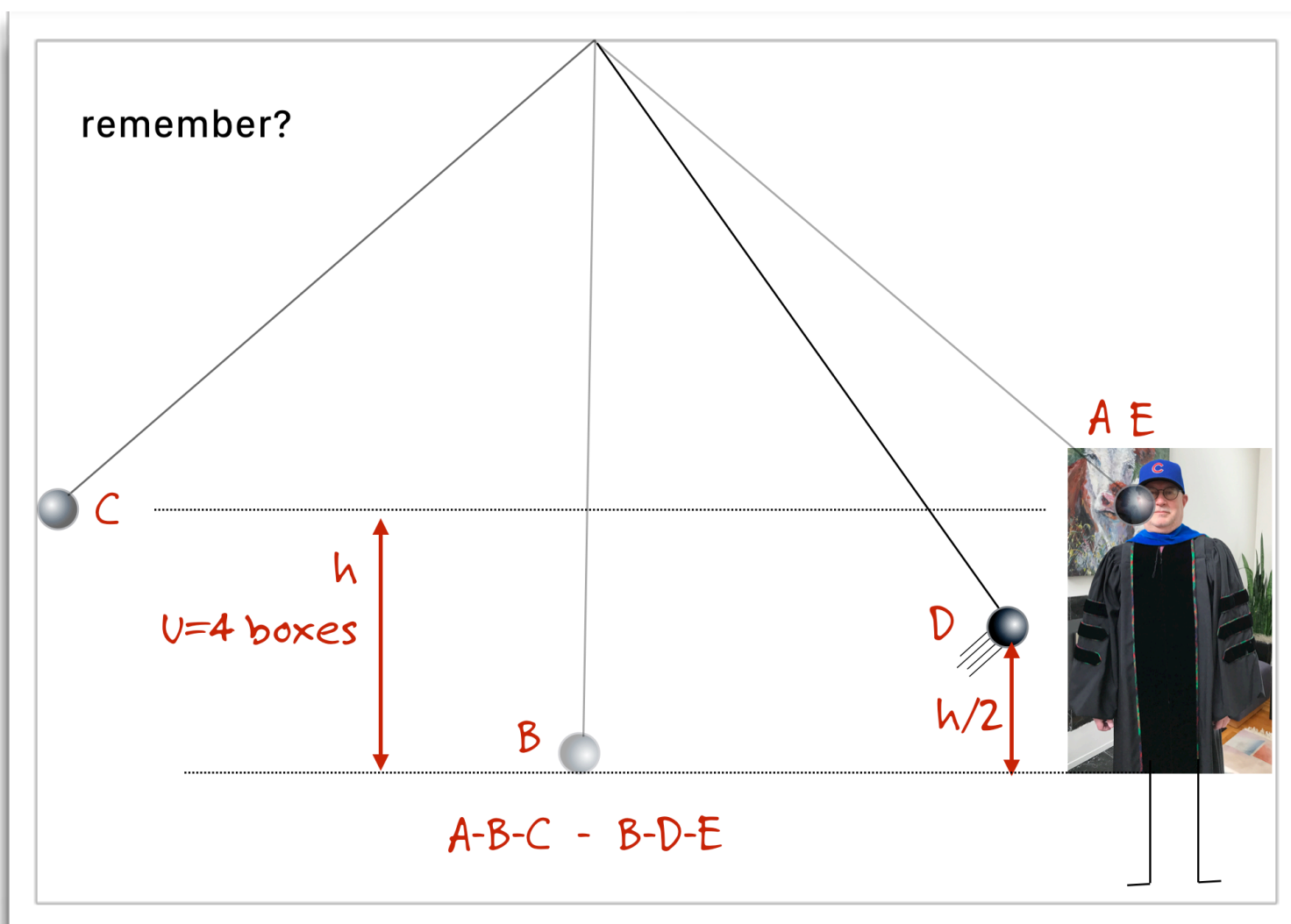
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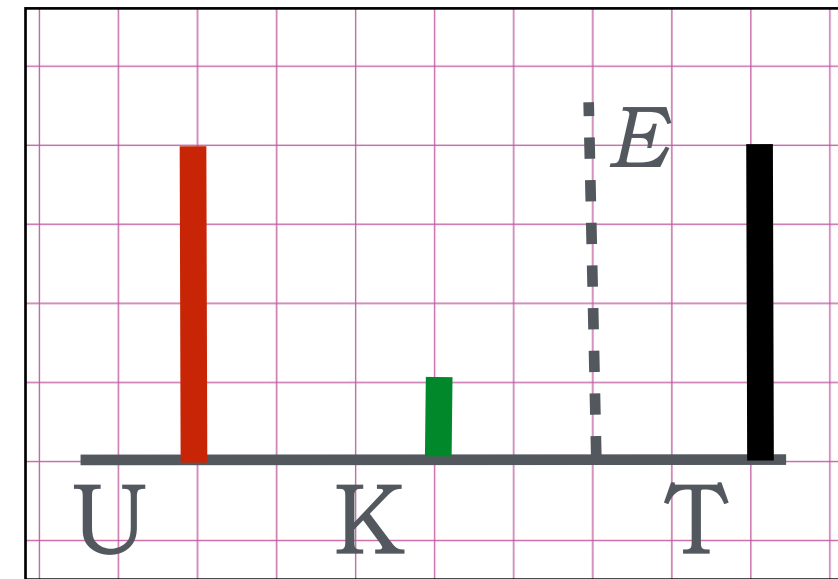
Second time:

I **shoved it** at A so $K = 1$ box @A

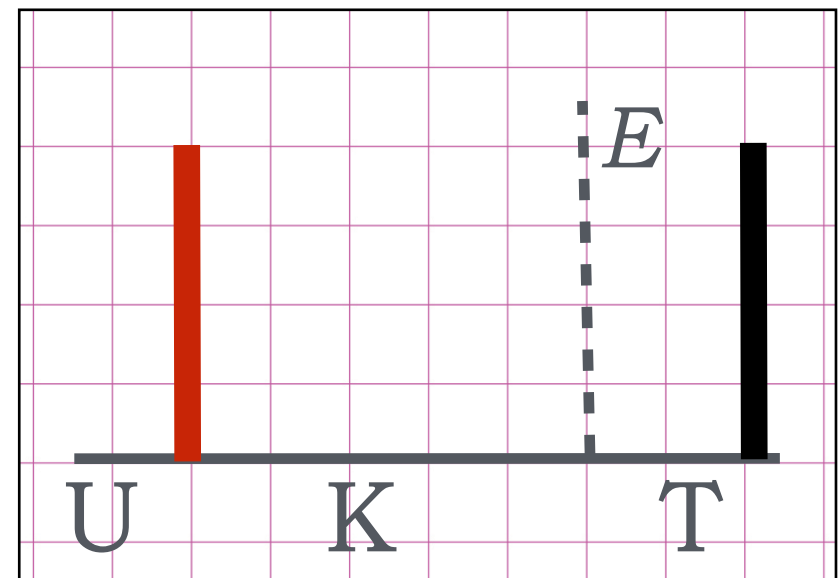


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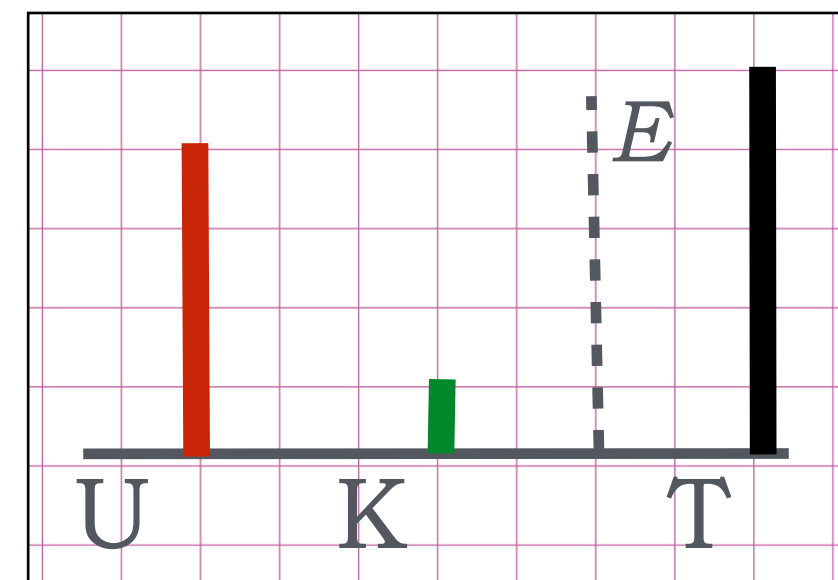
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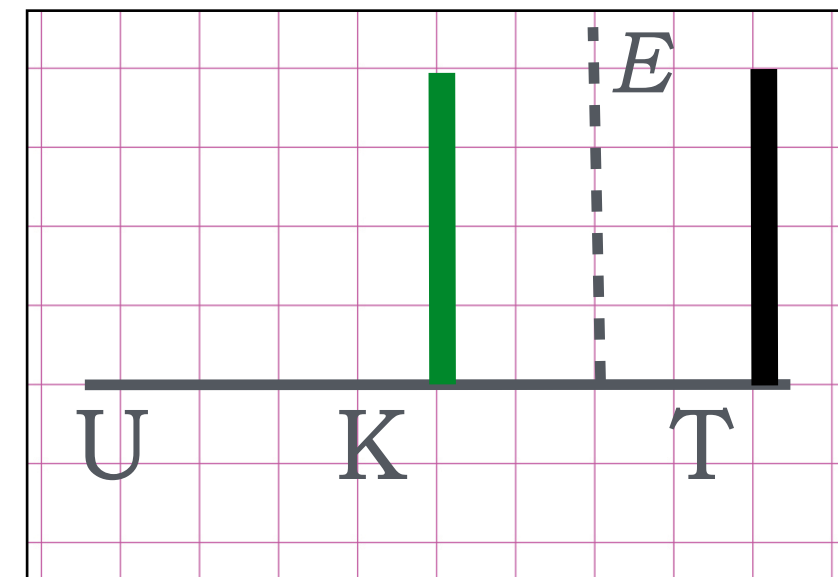
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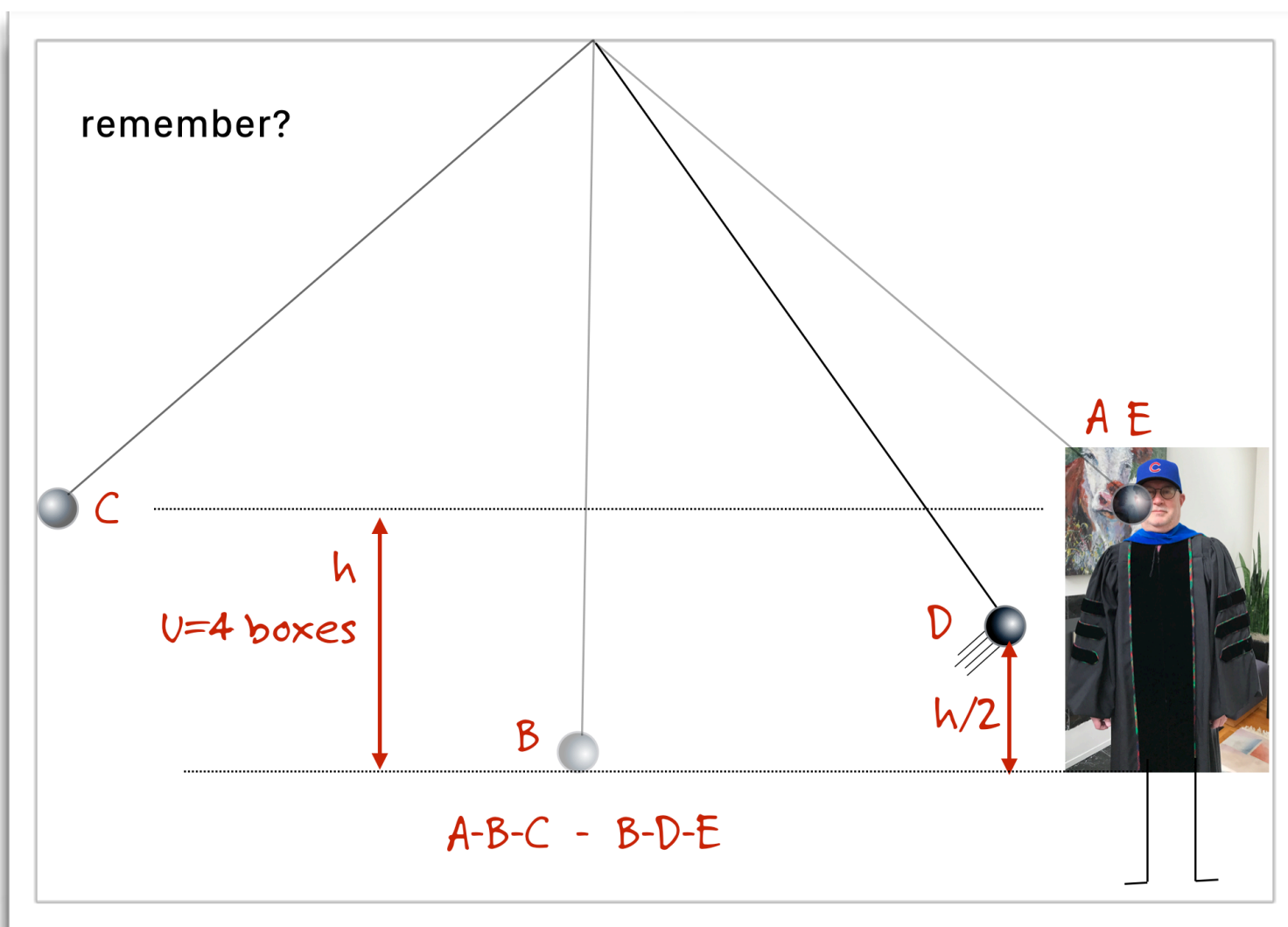
D



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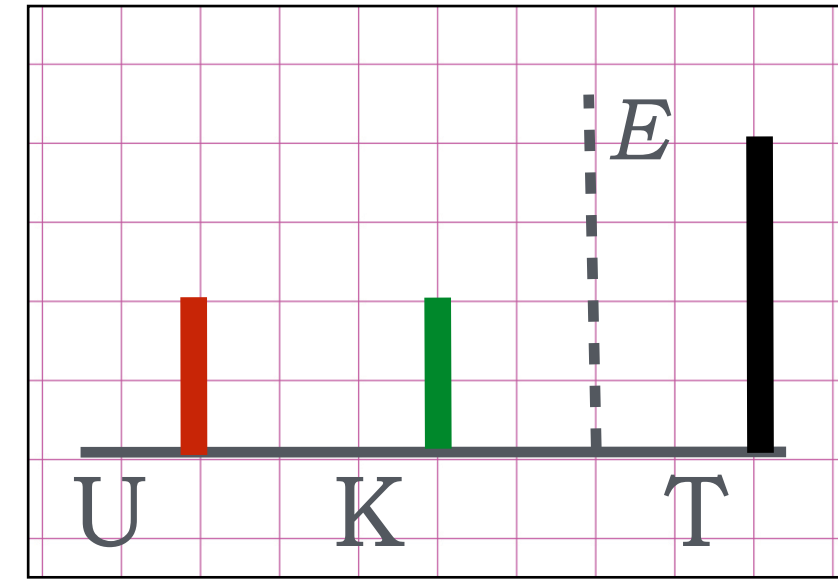
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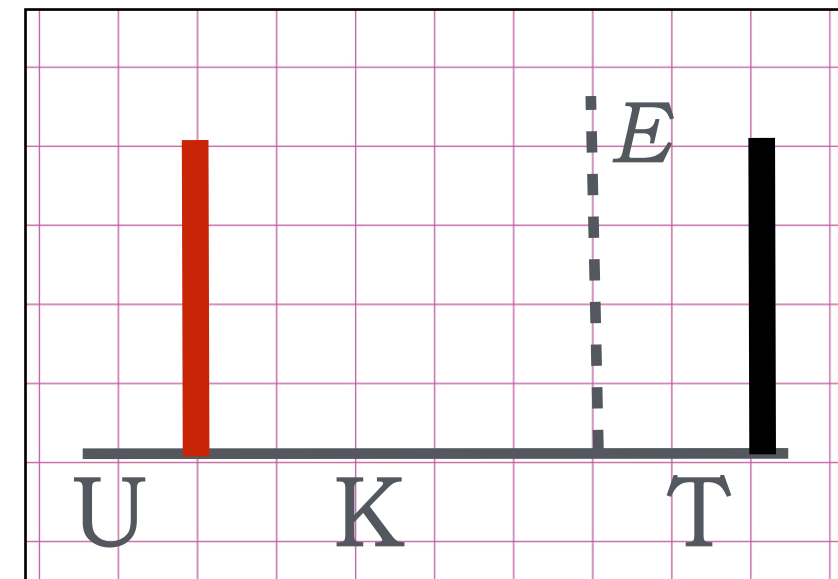


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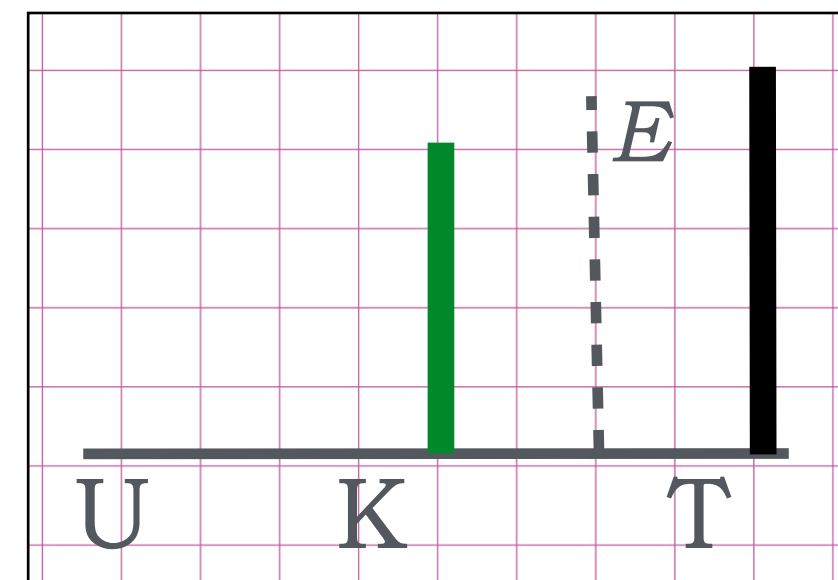
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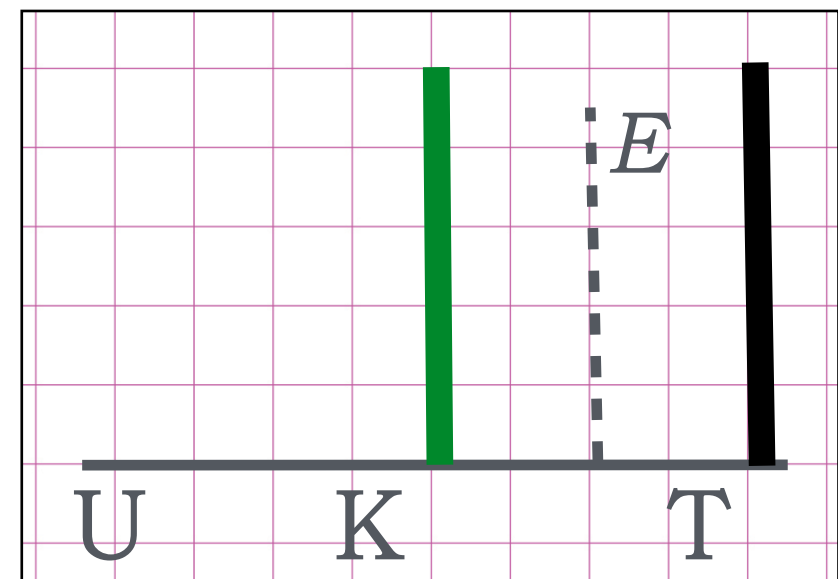
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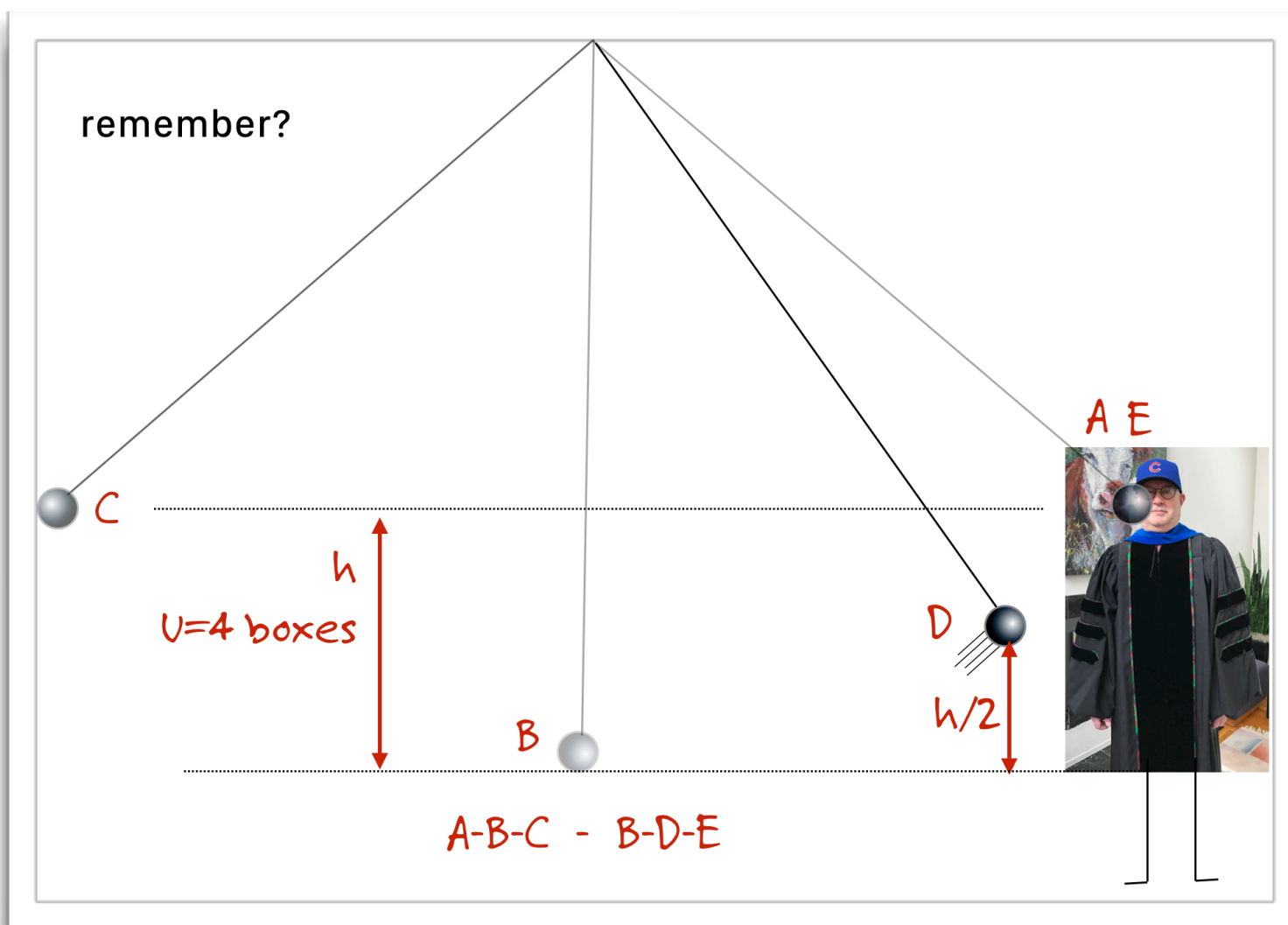
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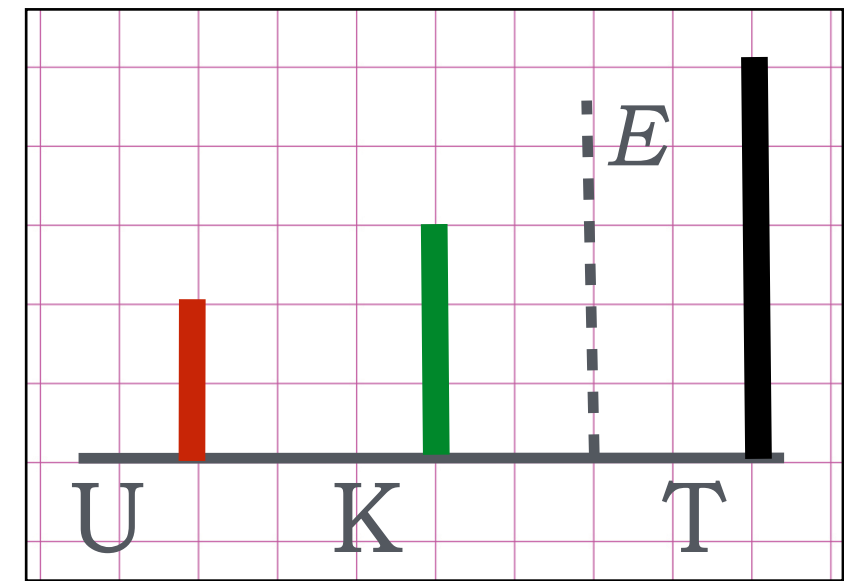
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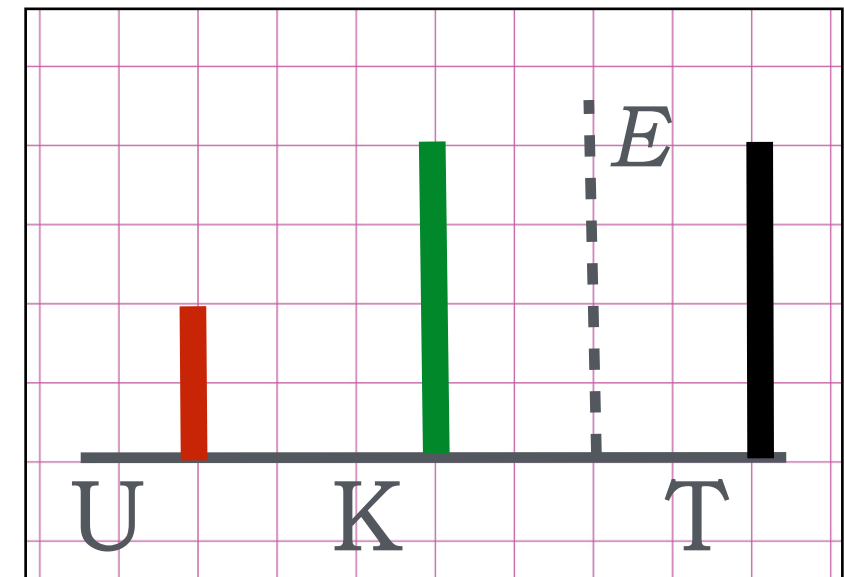


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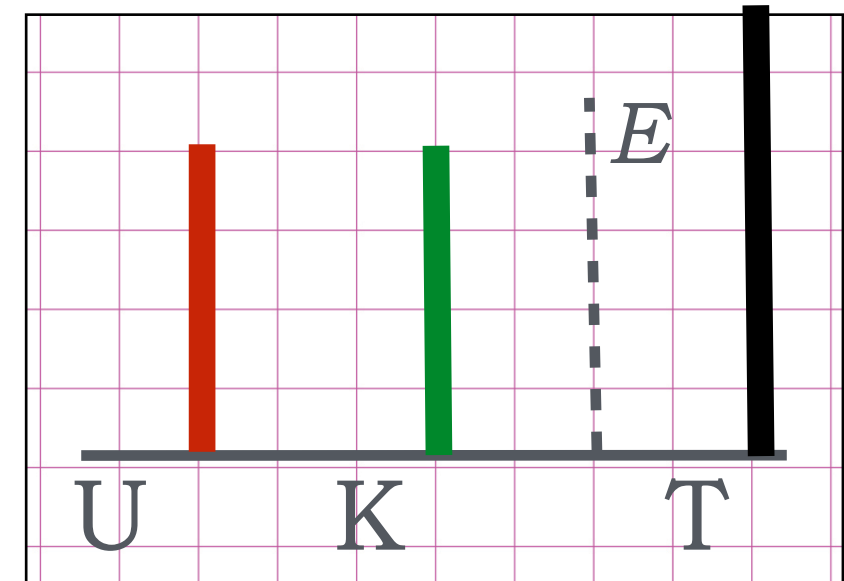
A



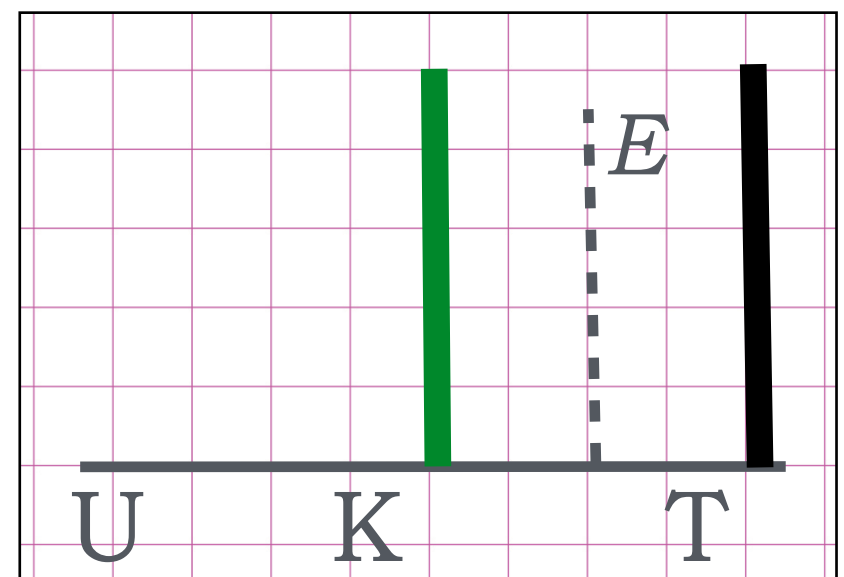
B



C



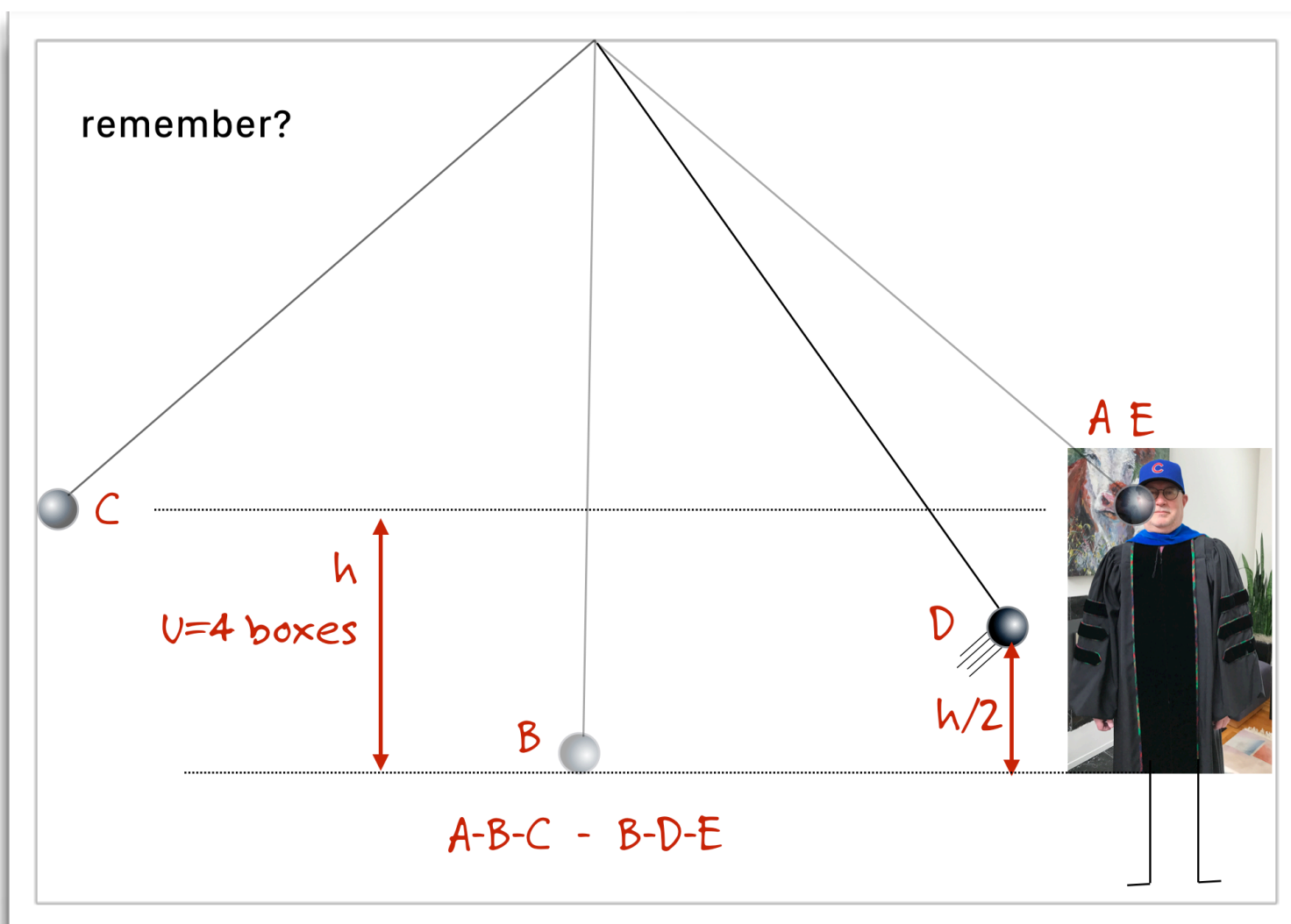
D



answer, defend

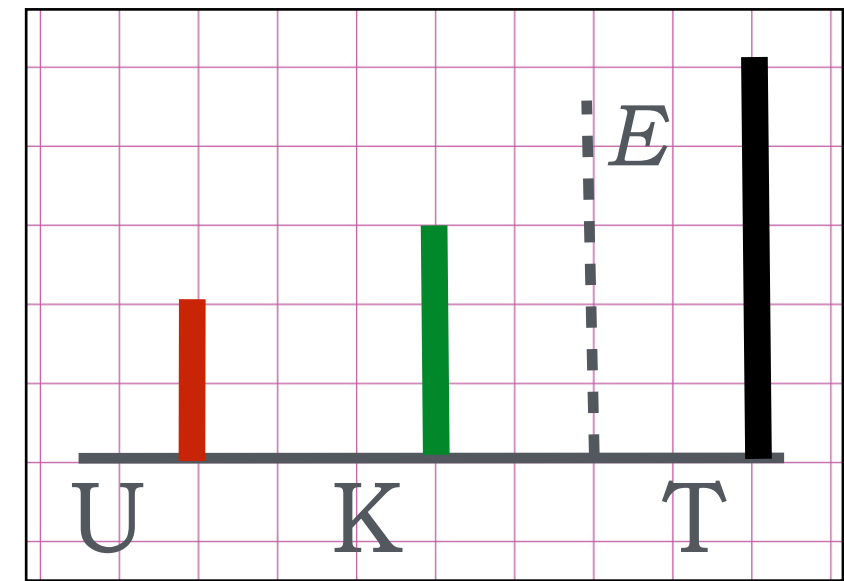
Second time:

I **shoved it** at A so $K = 1$ box @A

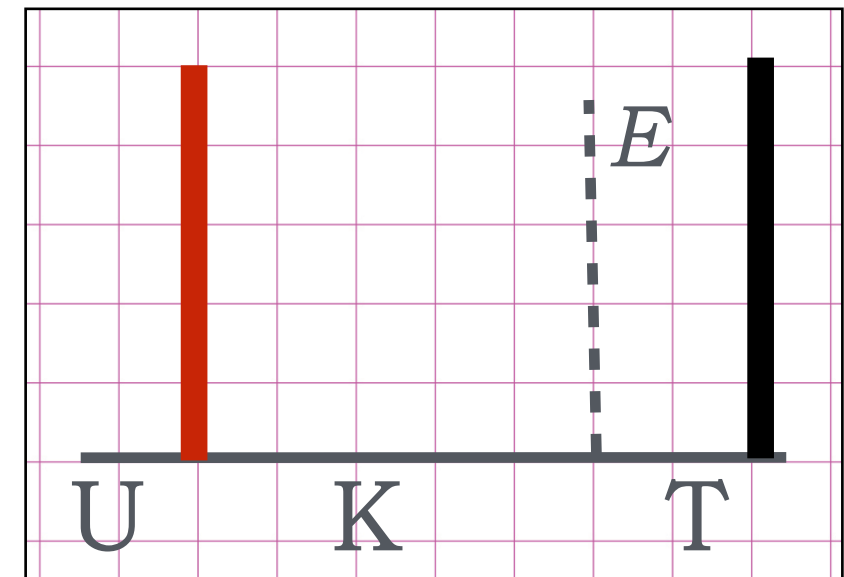


E on the way back is
best described as:

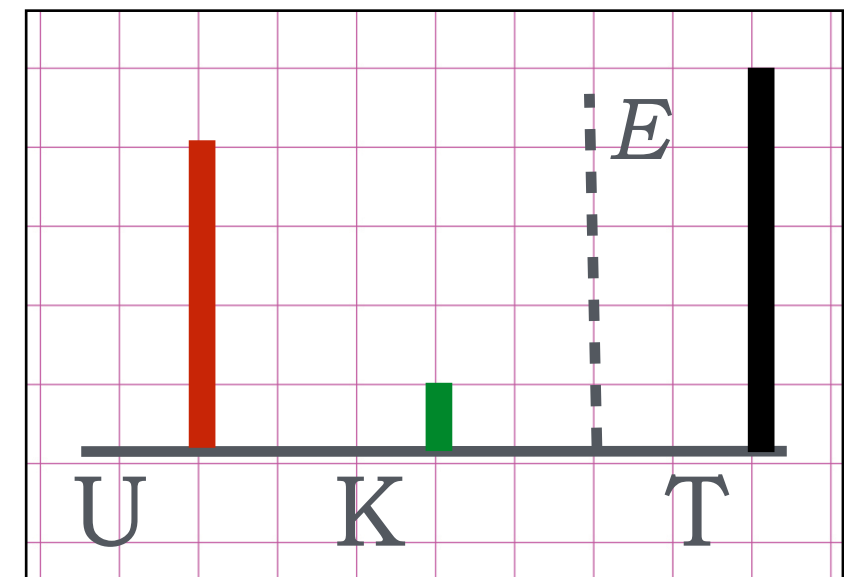
A



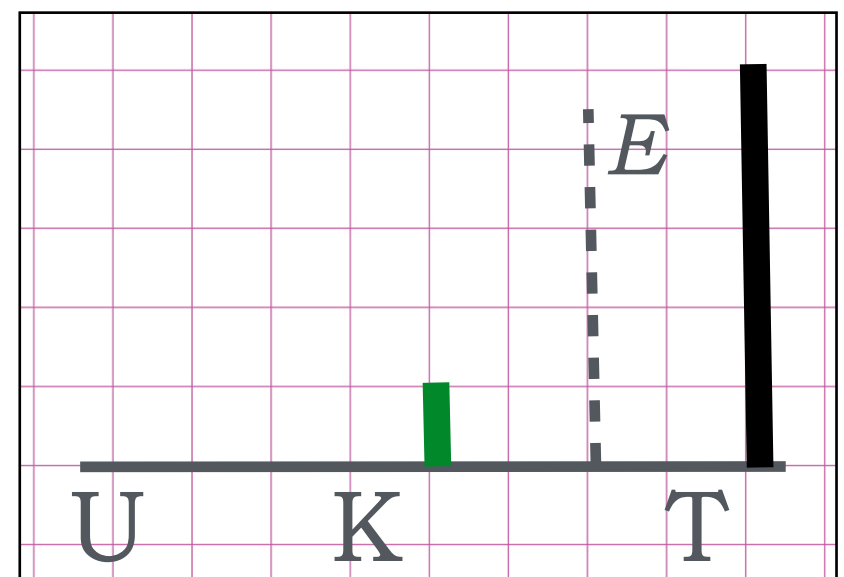
B



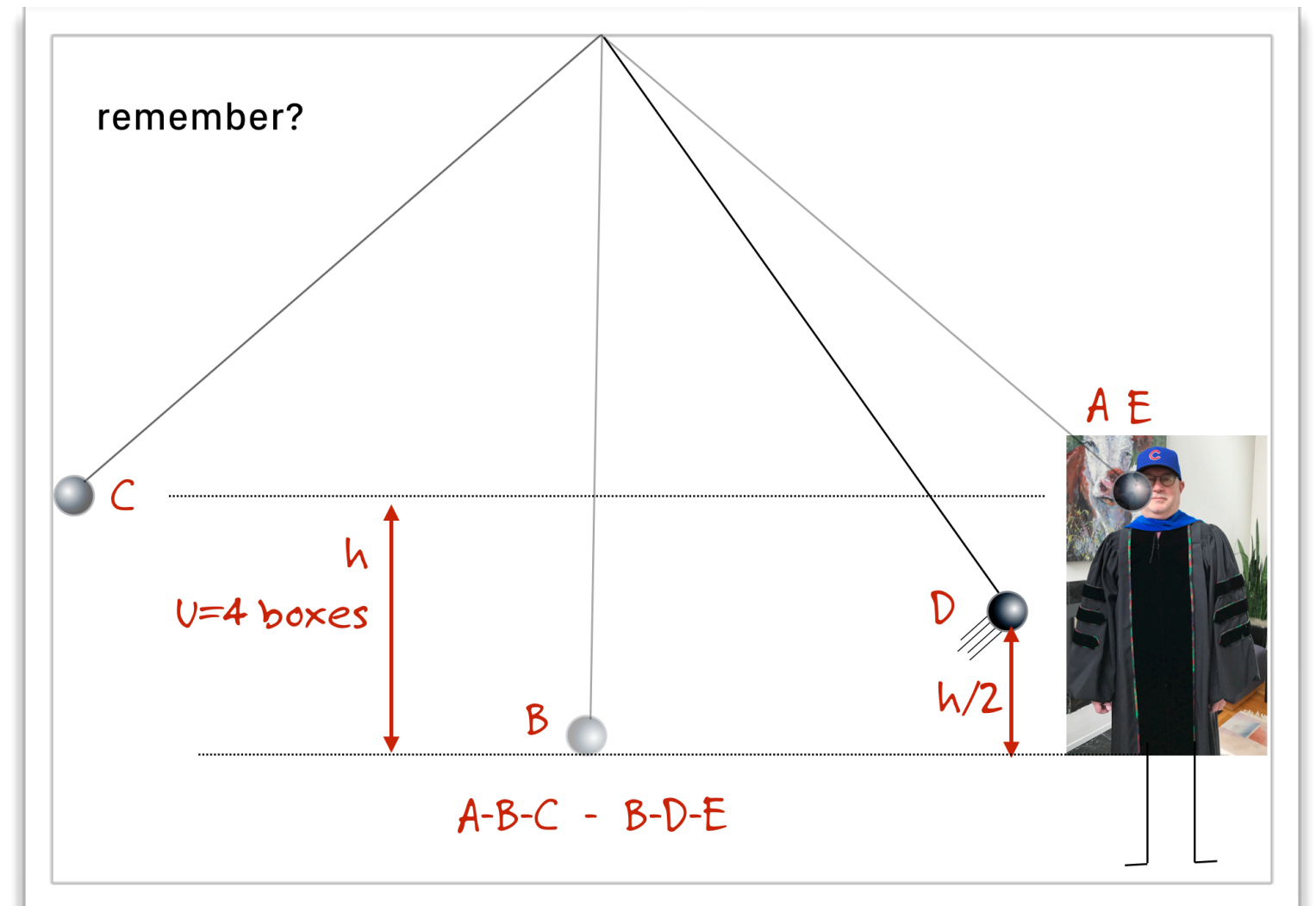
C



D

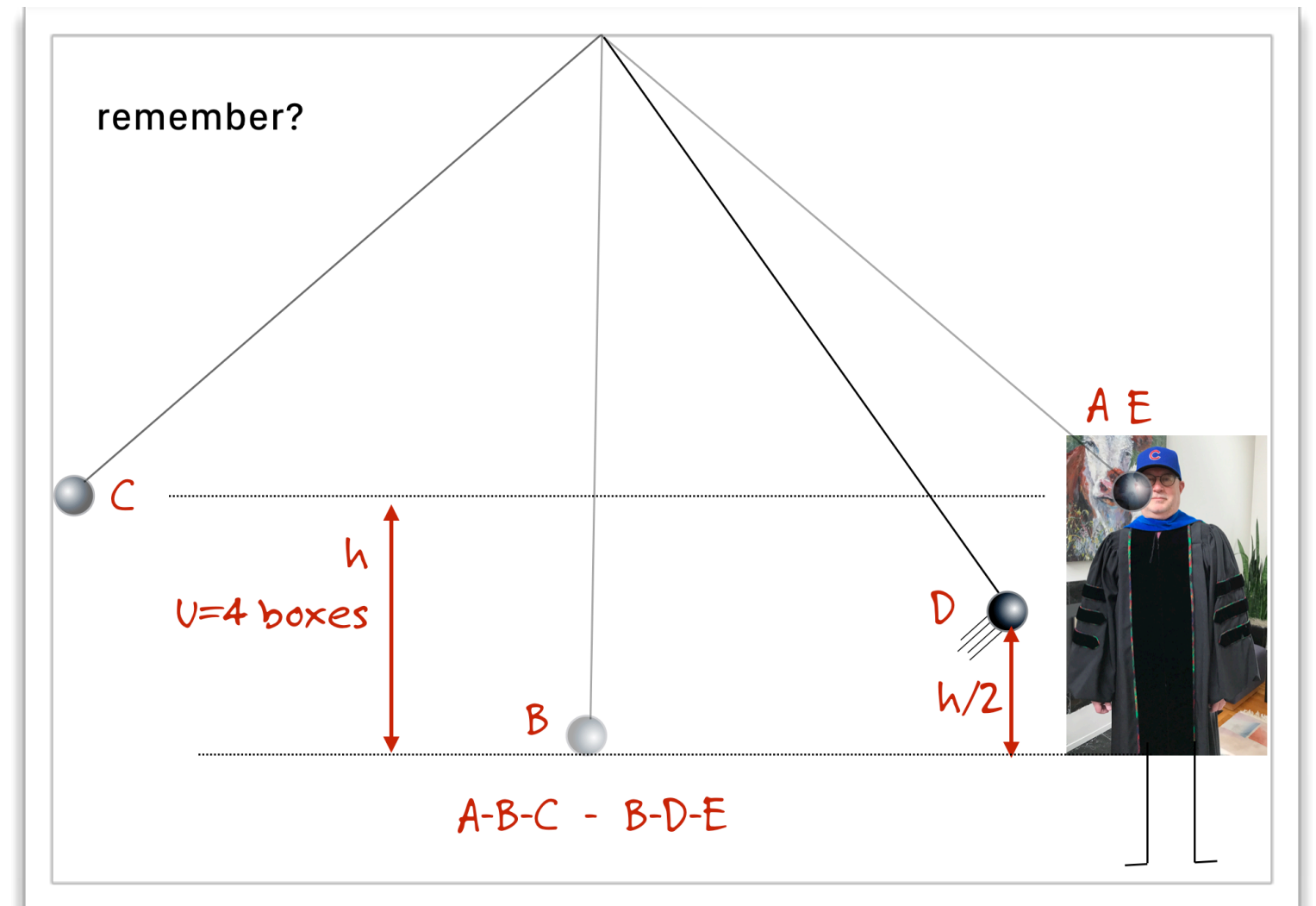


at each point along the path



$$K_A + U_A = K_B + U_B = K_C + U_C = K_D + U_D = K_E + U_E = E$$

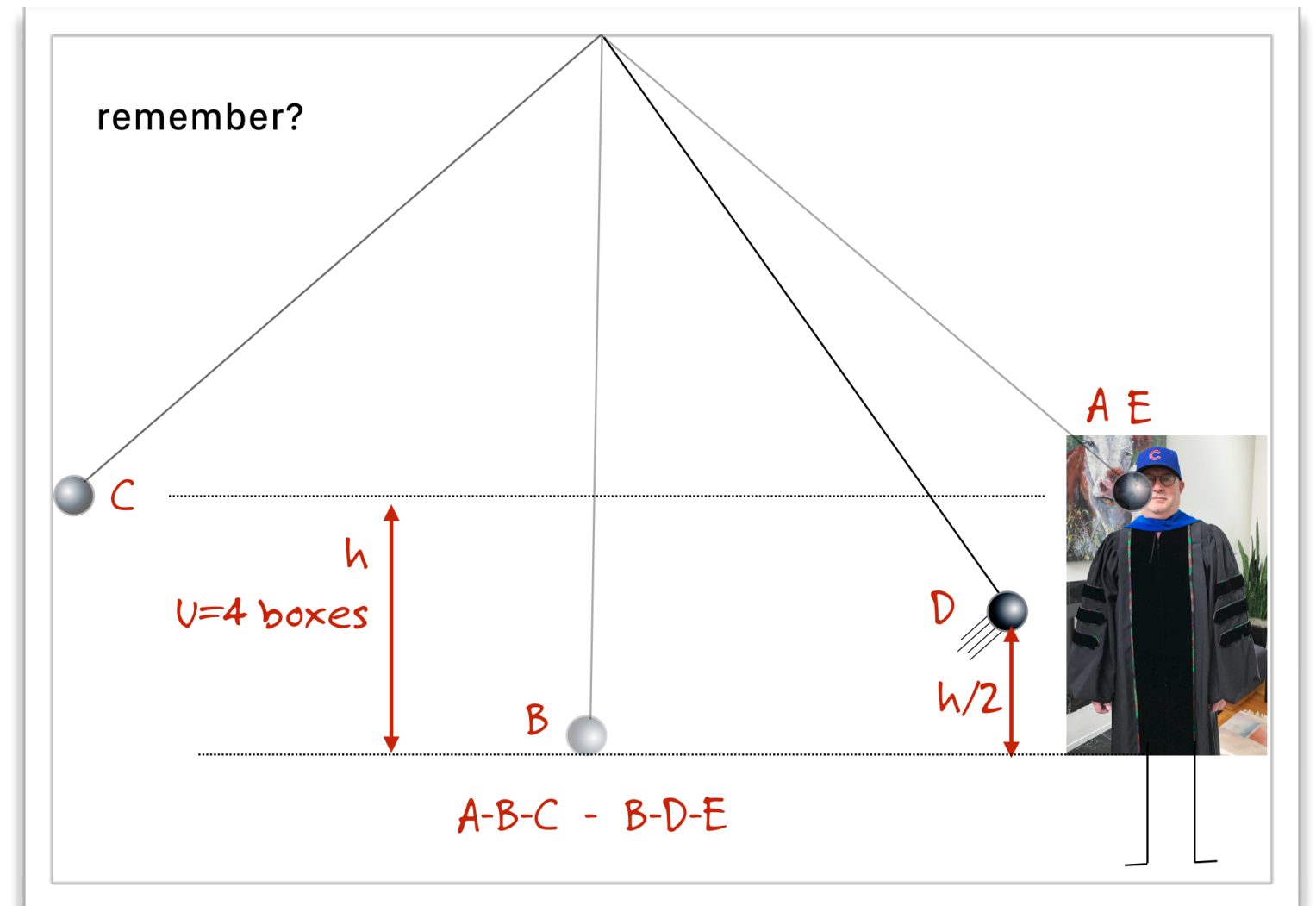
at each point along the path



the first attempt:

$$K_A + U_A = K_B + U_B = K_C + U_C = K_D + U_D = K_E + U_E = E$$

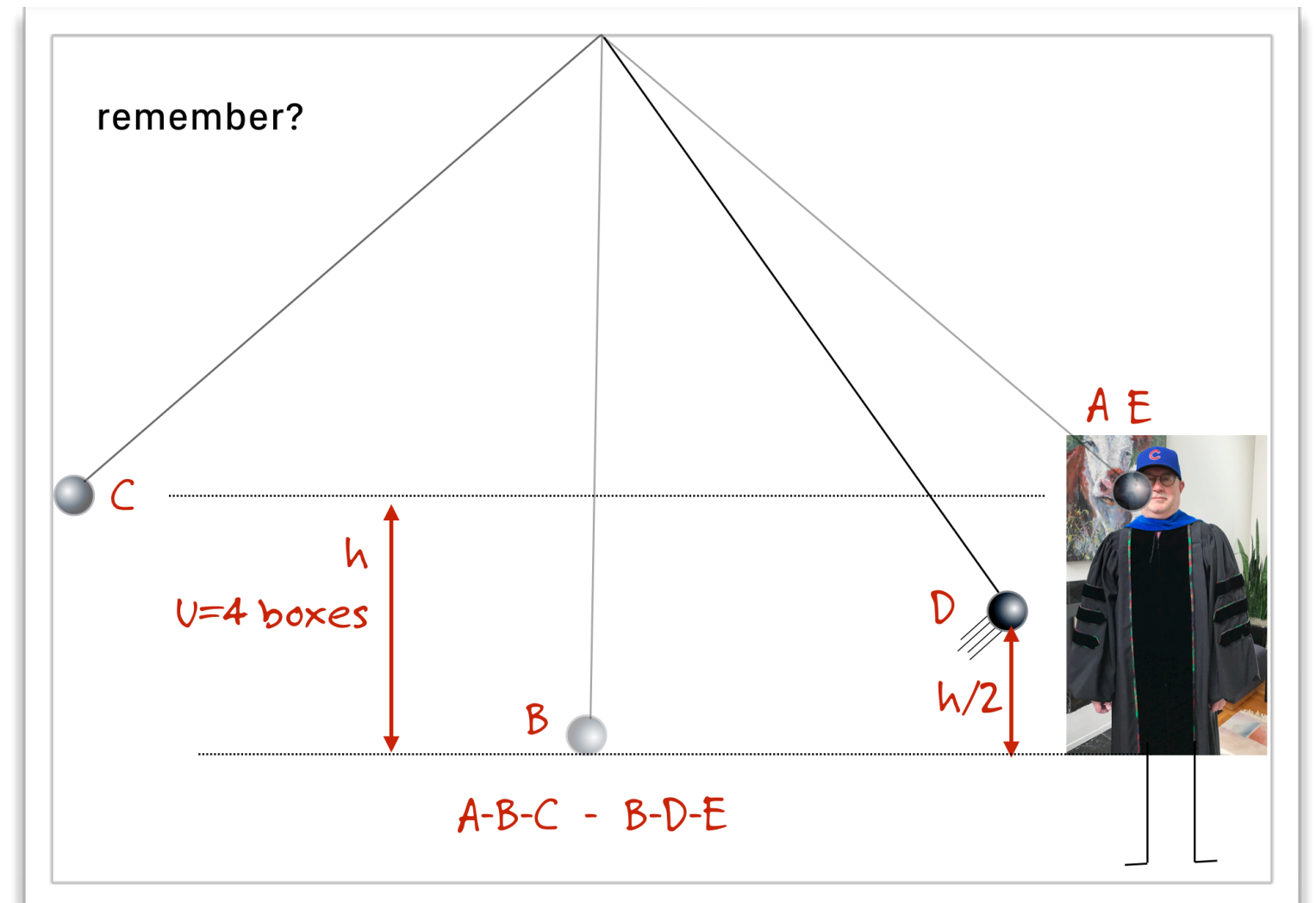
at each point along the path



the first attempt:

$$\cancel{K_A}^0 + U_A = K_B + U_B = K_C + U_C = K_D + U_D = K_E + U_E = E$$

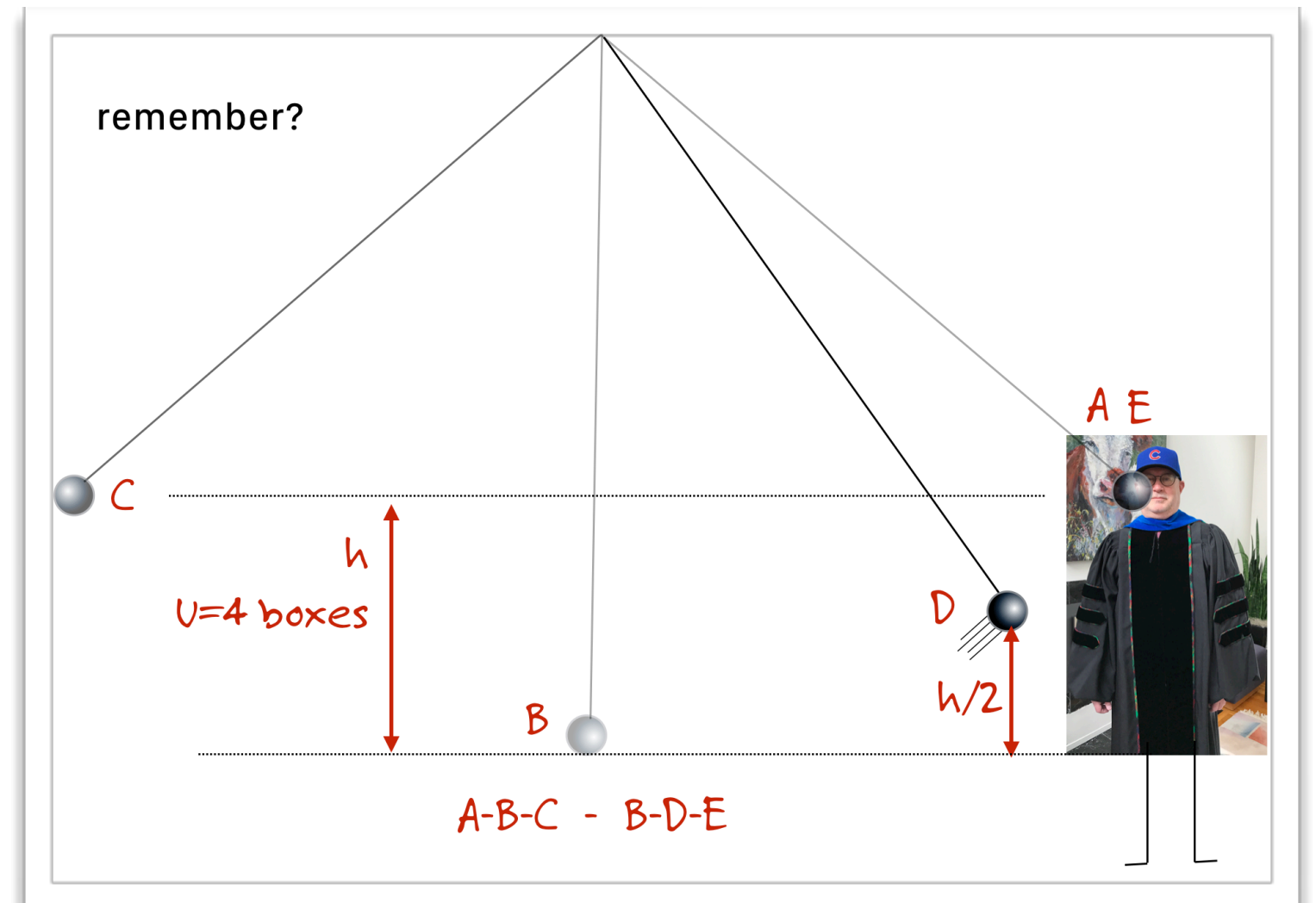
at each point along the path



the first attempt:

$$\cancel{K_A} + U_A = K_B + \cancel{U_B} = K_C + U_C = K_D + U_D = K_E + U_E = E$$

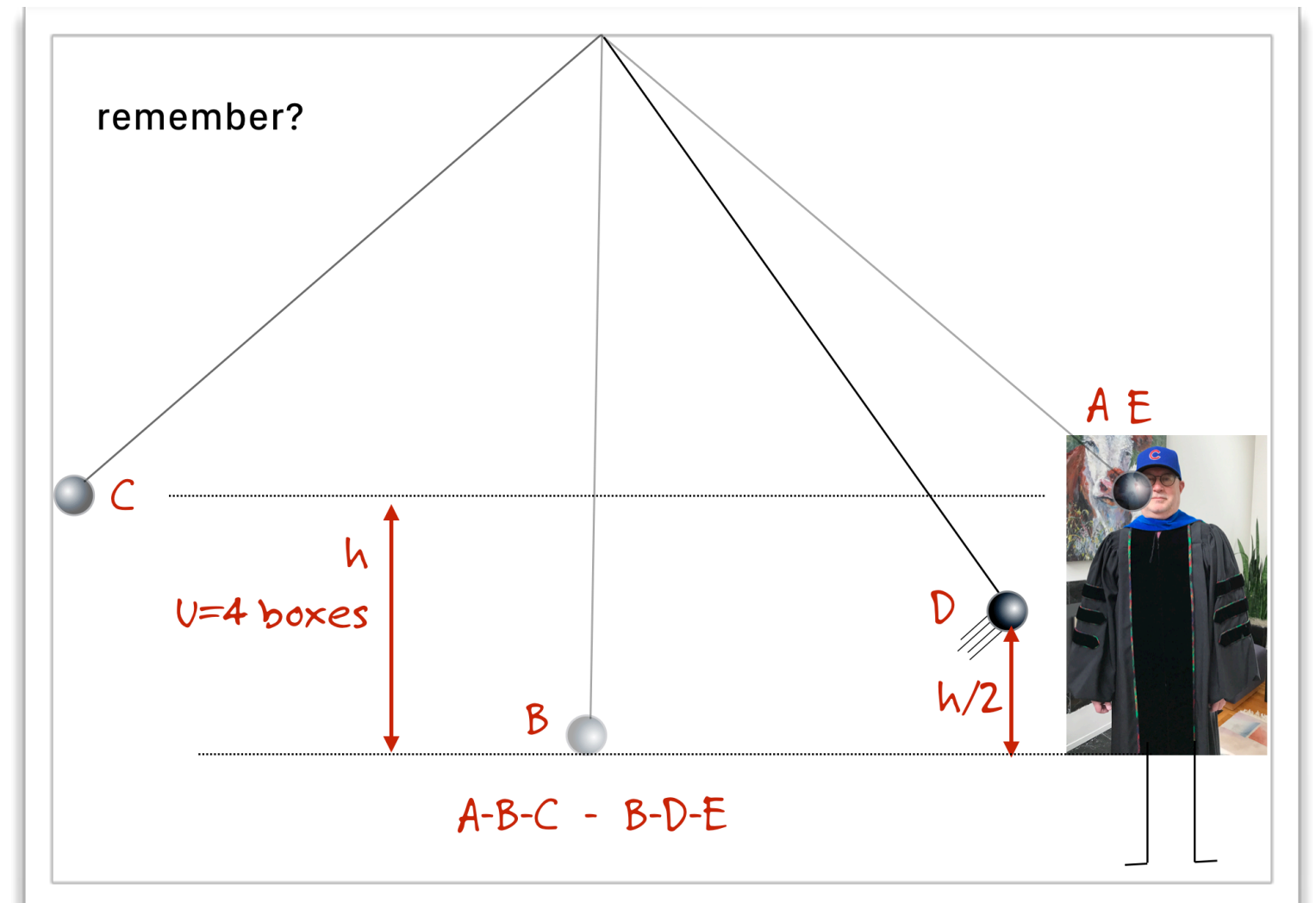
at each point along the path



the first attempt:

$$\cancel{K_A} + U_A = K_B + \cancel{U_B} = \cancel{K_C} + U_C = K_D + U_D = K_E + U_E = E$$

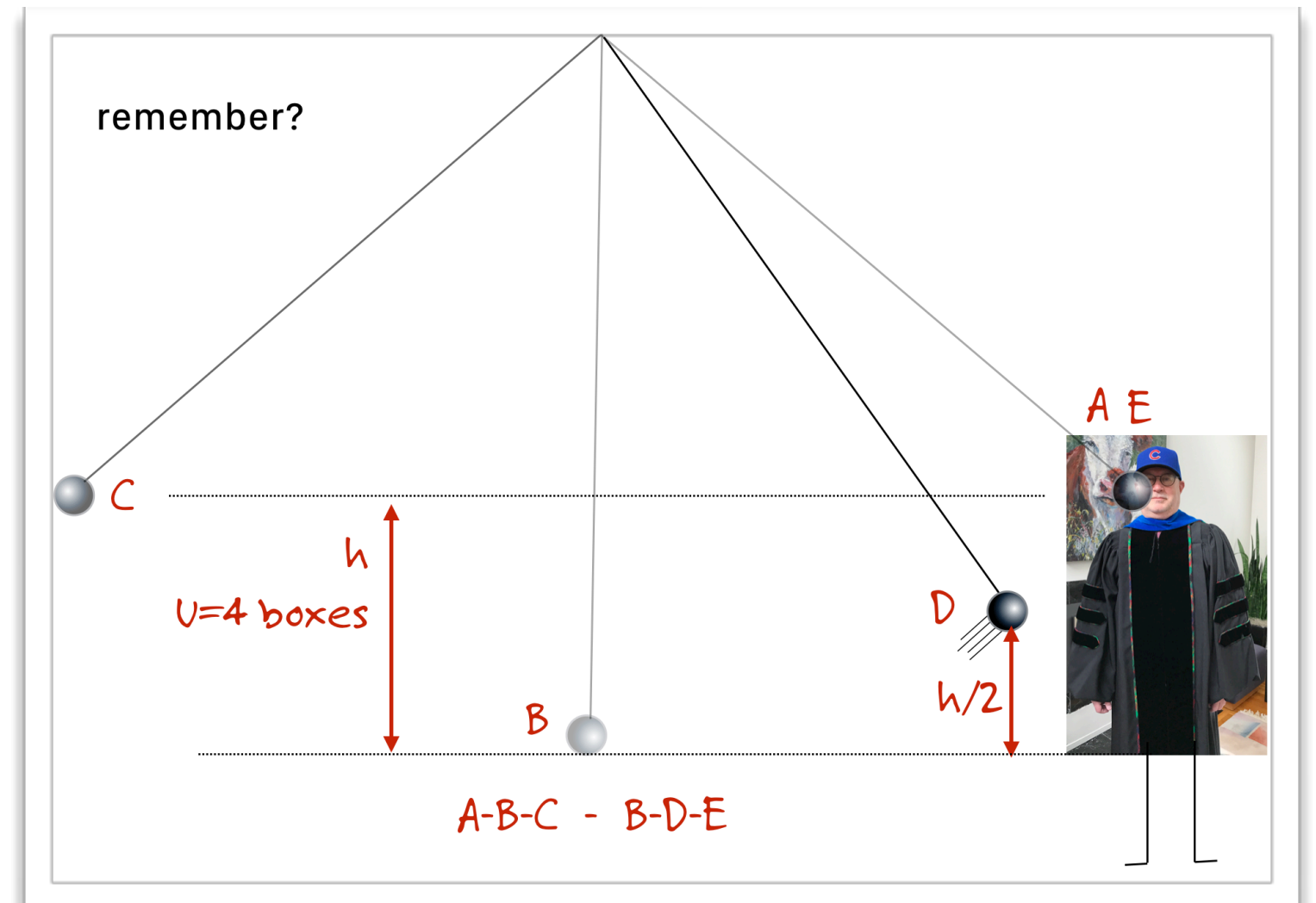
at each point along the path



the first attempt:

$$\cancel{K_A} + U_A = K_B + \cancel{U_B} = \cancel{K_C} + U_C = K_D + U_D = \cancel{K_E} + U_E = E$$

at each point along the path

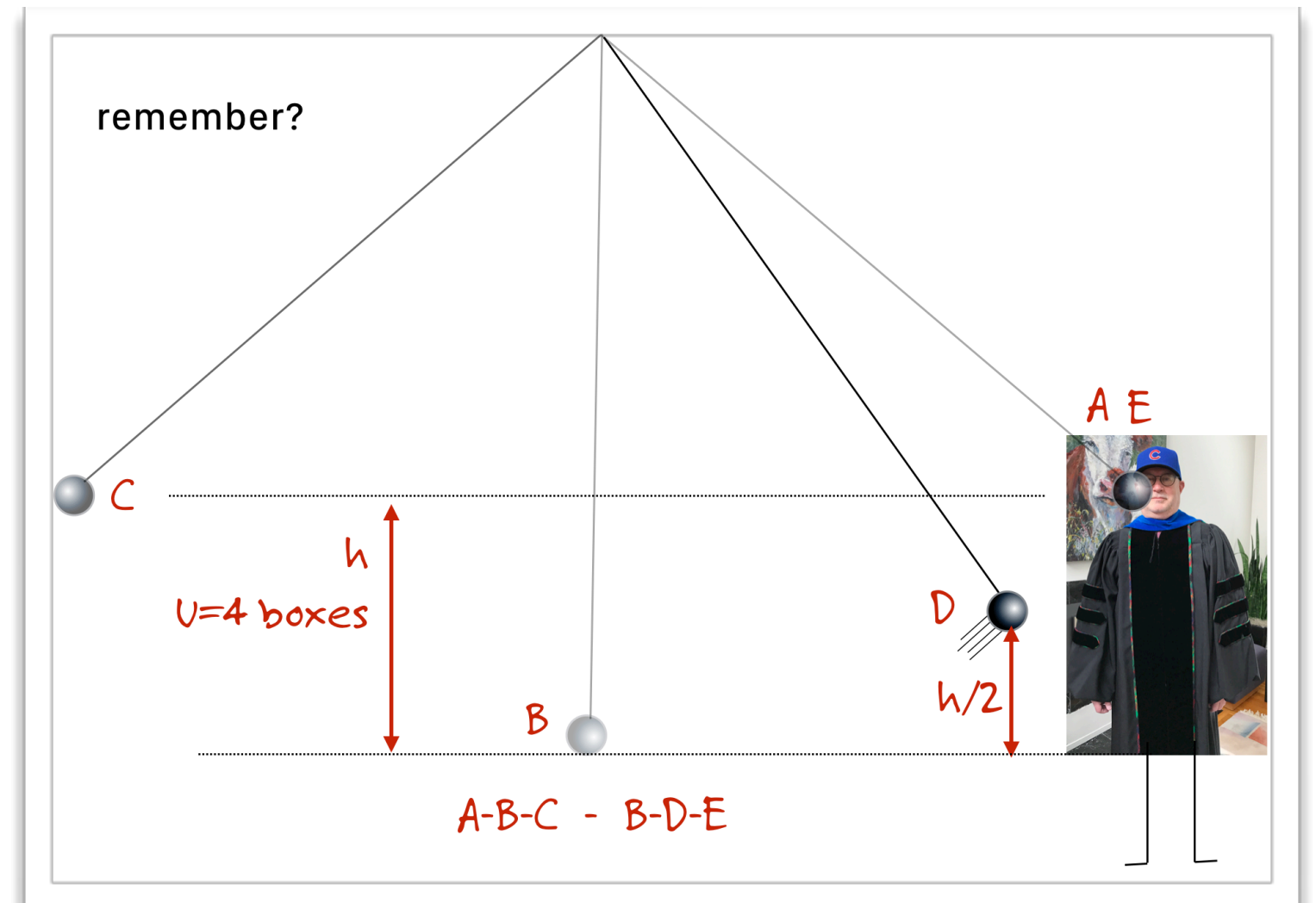


the first attempt:

$$\cancel{K_A} + U_A = K_B + \cancel{U_B} = \cancel{K_C} + U_C = K_D + U_D = \cancel{K_E} + U_E = E$$

the second attempt:

at each point along the path



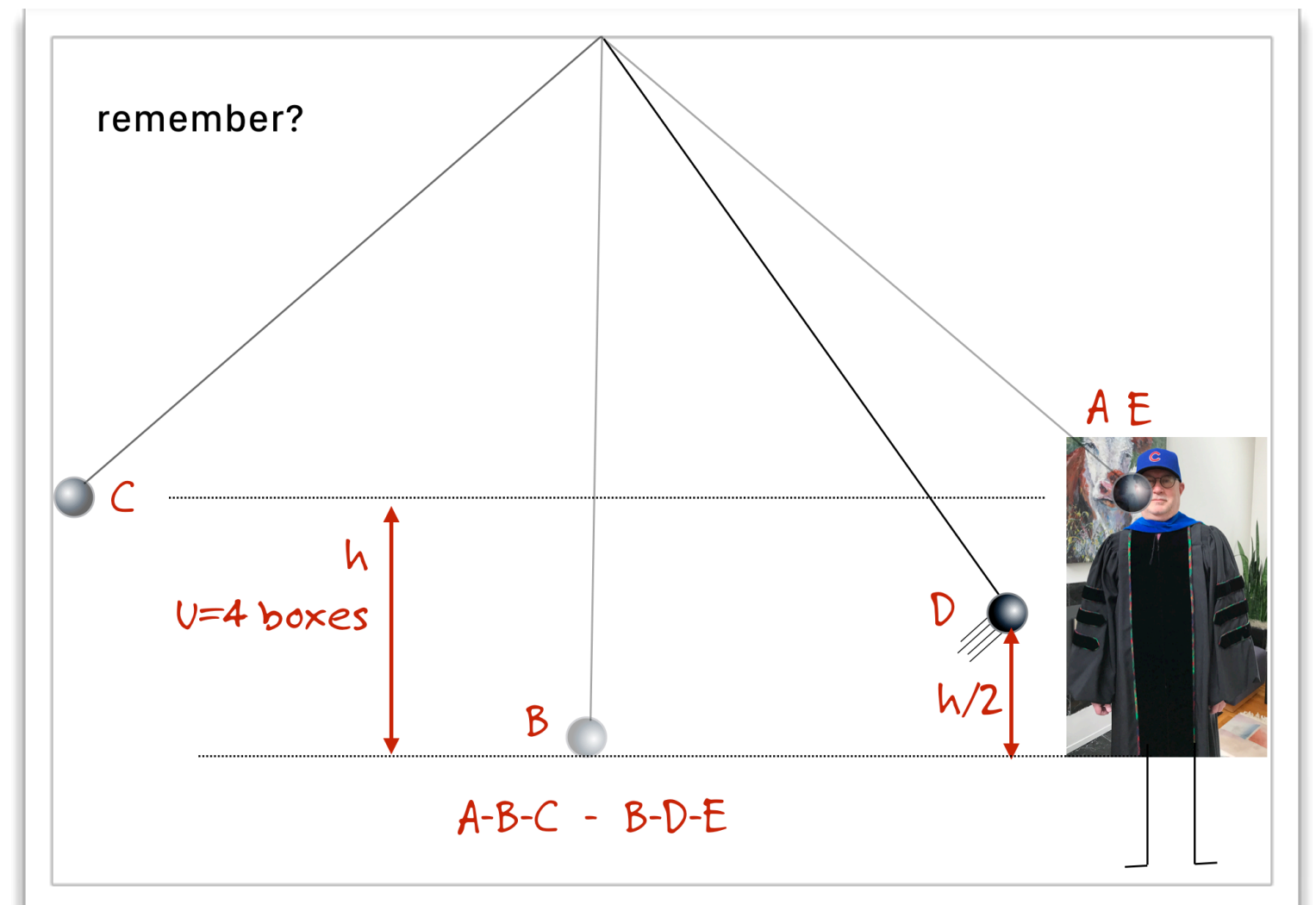
the first attempt:

$$\cancel{K_A} + U_A = K_B + \cancel{U_B} = \cancel{K_C} + U_C = K_D + U_D = \cancel{K_E} + U_E = E$$

the second attempt:

$$K_A + U_A = K_B + U_B = K_C + U_C = K_D + U_D = K_E + U_E = E$$

at each point along the path



the first attempt:

$$\cancel{K_A} + U_A = K_B + \cancel{U_B} = \cancel{K_C} + U_C = K_D + U_D = \cancel{K_E} + U_E = E$$

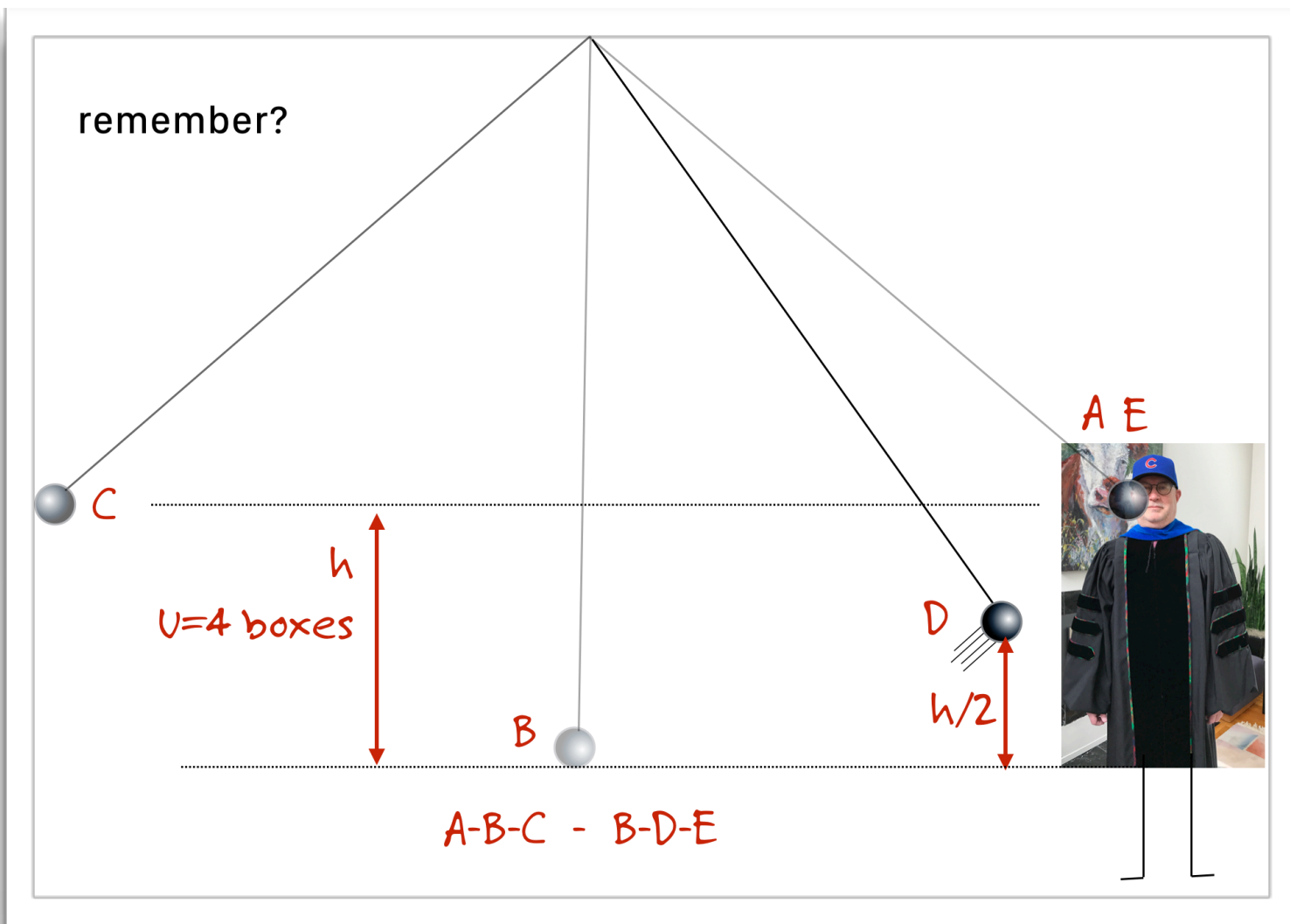
the second attempt:

$$K_A + U_A = K_B + \cancel{U_B} = K_C + U_C = K_D + U_D = K_E + U_E = E$$

answer, defend

Second time:

I **shoved it** at A so $K = 1$ box @A



After the ball reaches
E on the way back

A

its potential energy is gone

B

it rises above ϵ

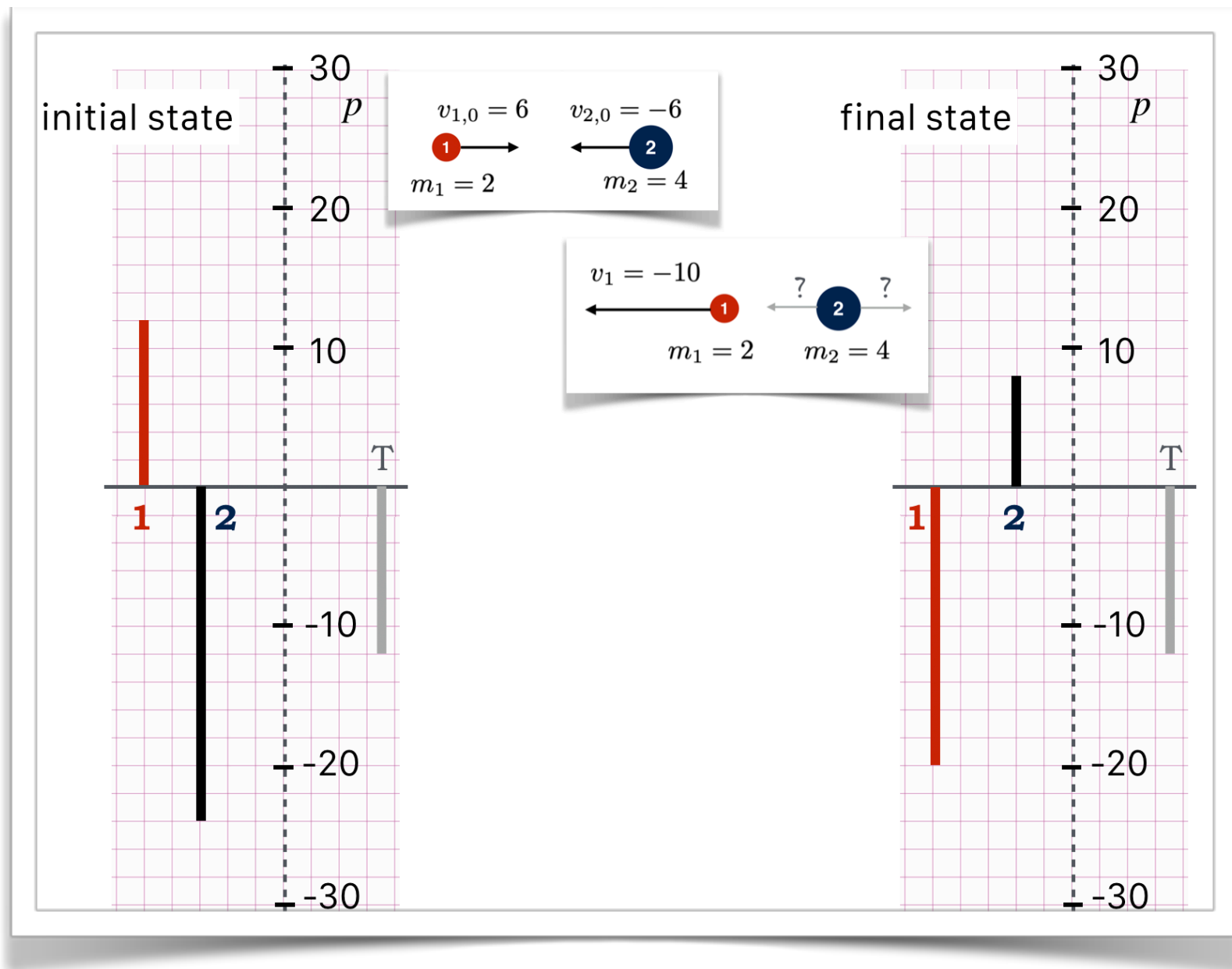
C

it starts back down at E

D

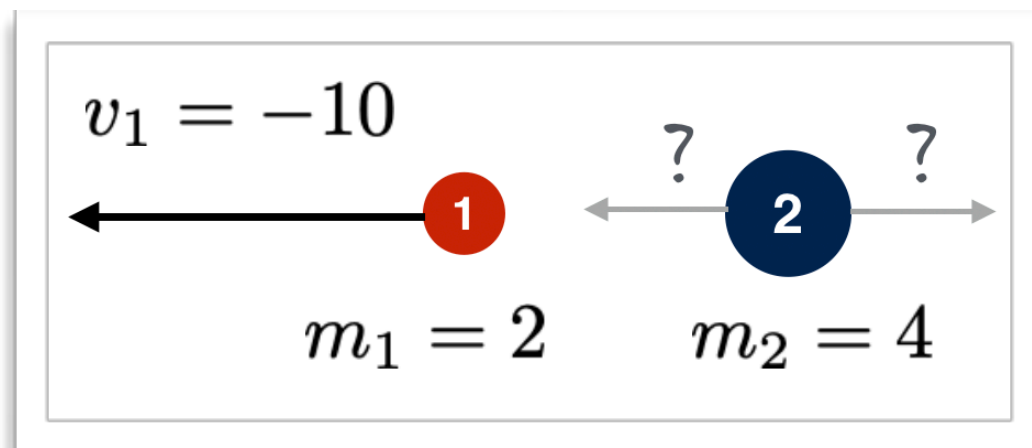
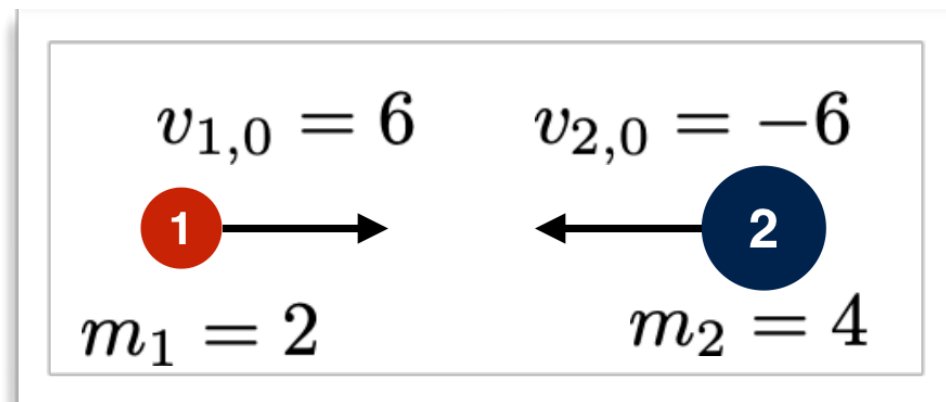
it's kinetic energy is gone

Remember this from last week?



now let's do the energetics

answer, defend



The initial kinetic energies of 1 & 2 are:

A

72 & 36

B

12 & -24

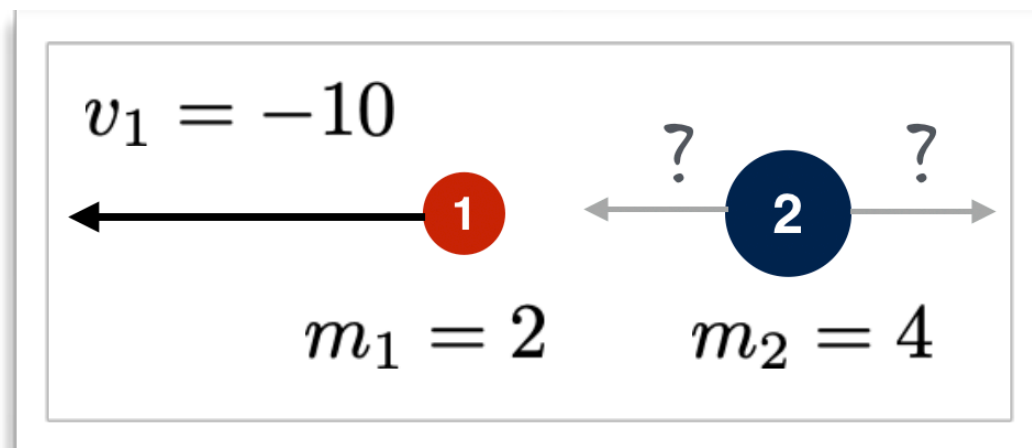
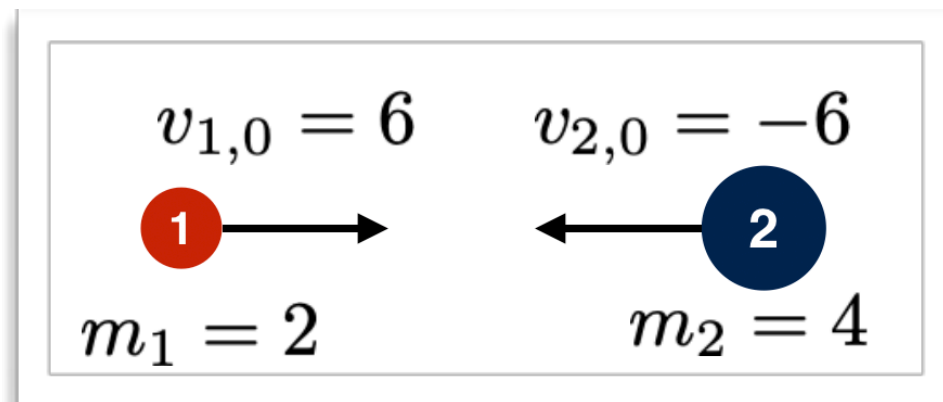
C

36 & 72

D

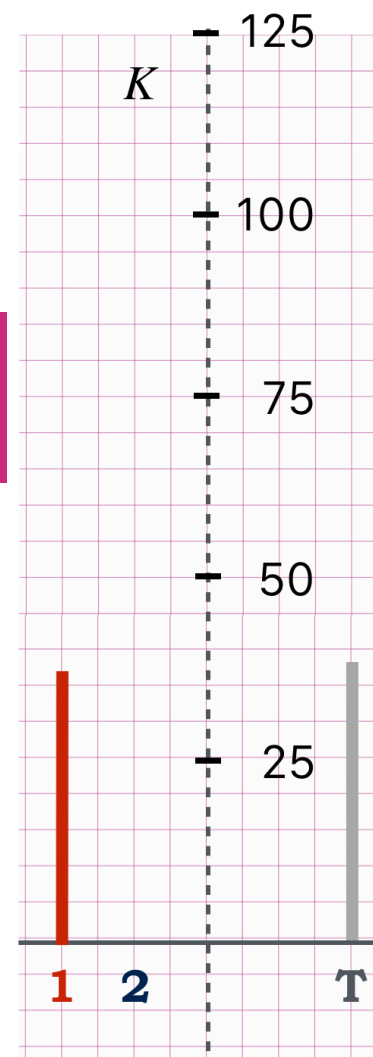
72 & 144

answer, defend

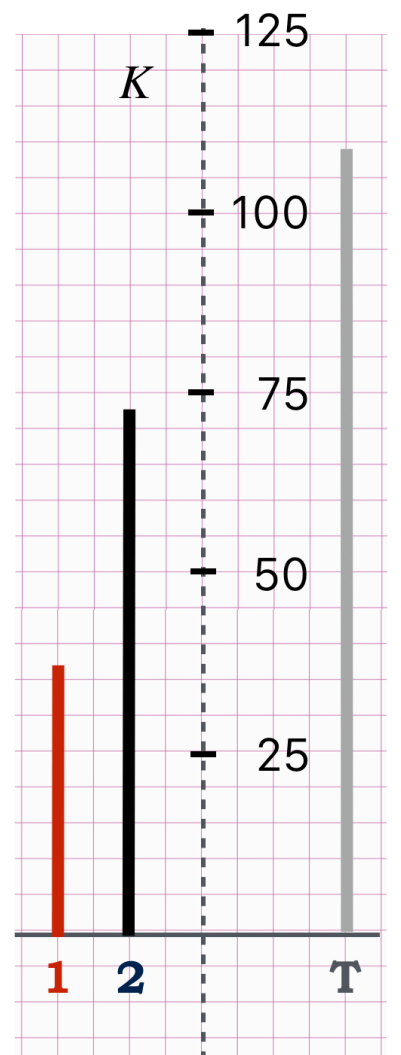


Which best represents the kinetic and total energies in the initial state?

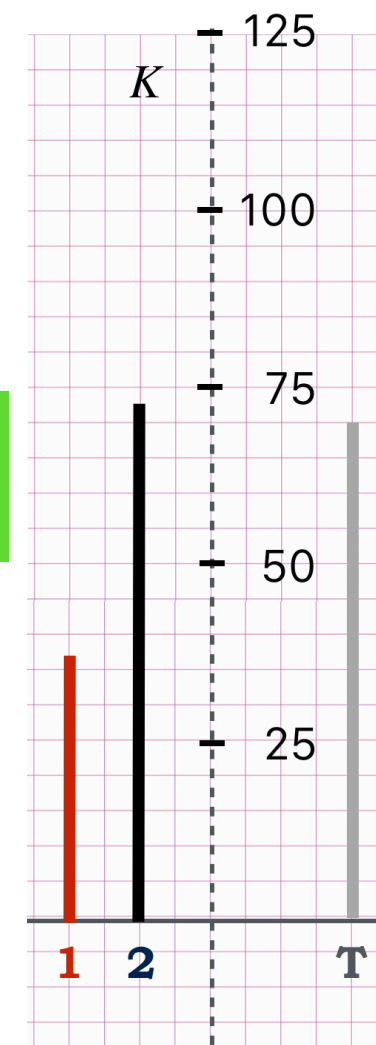
A



C

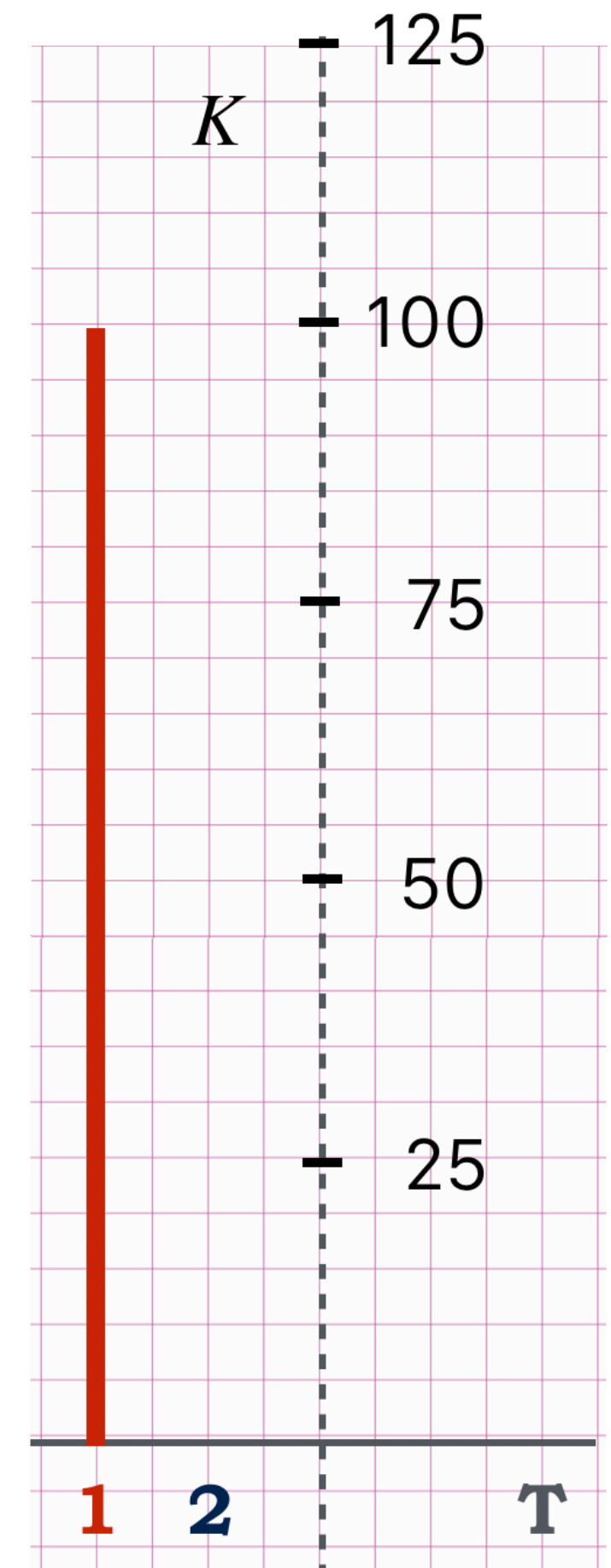
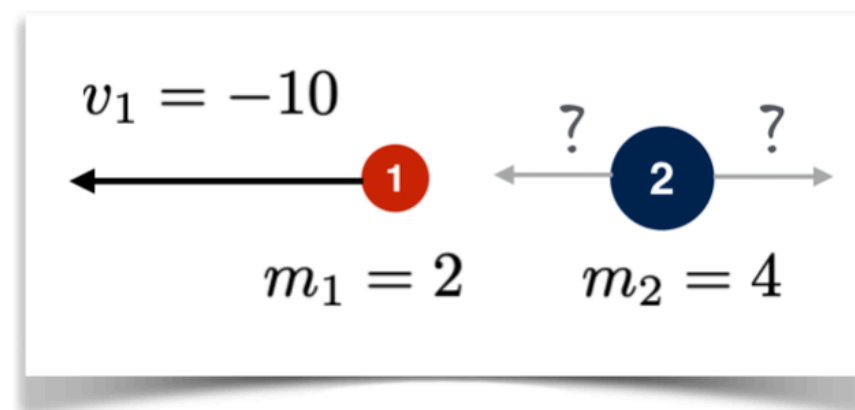
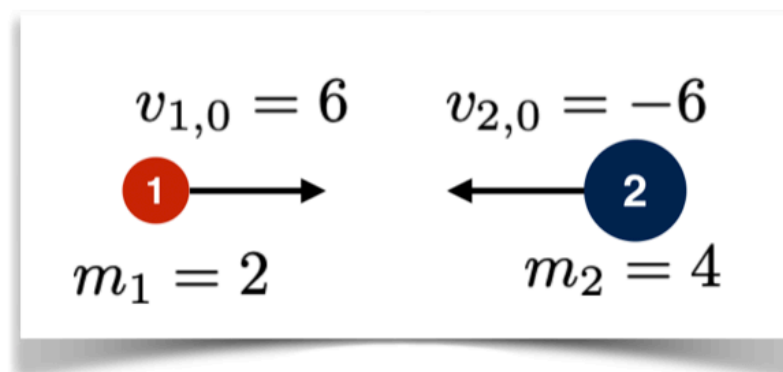
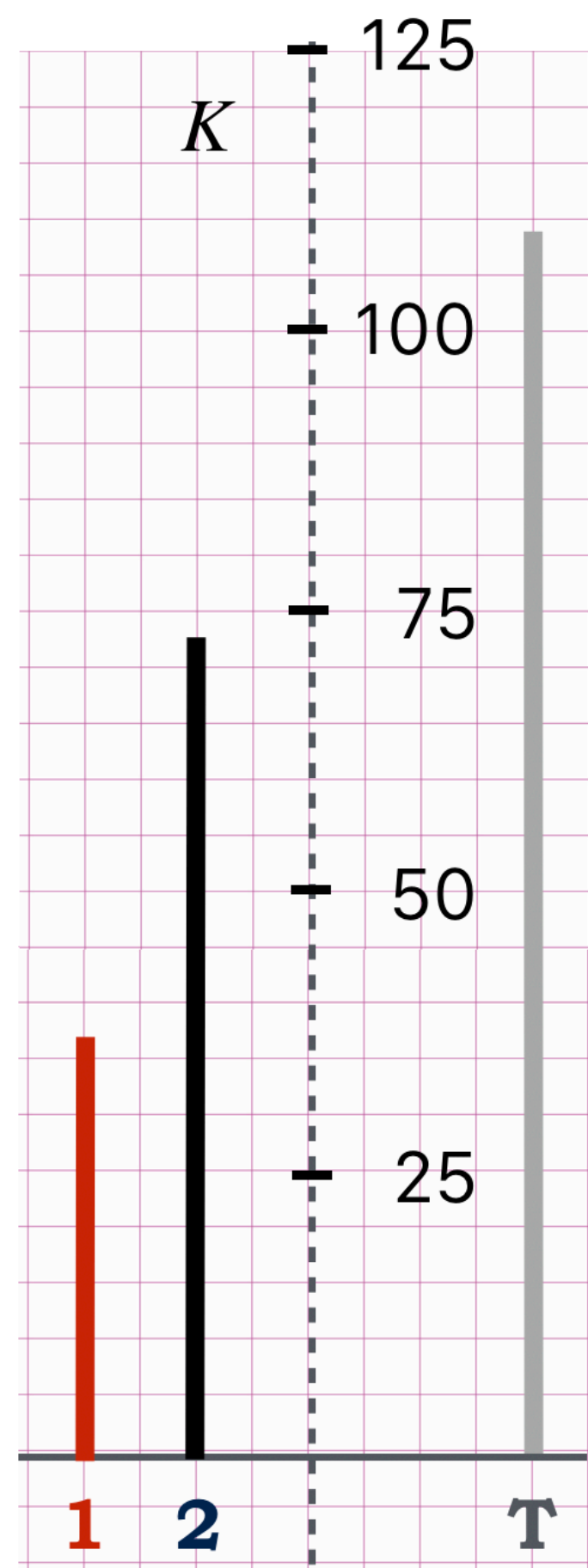


B

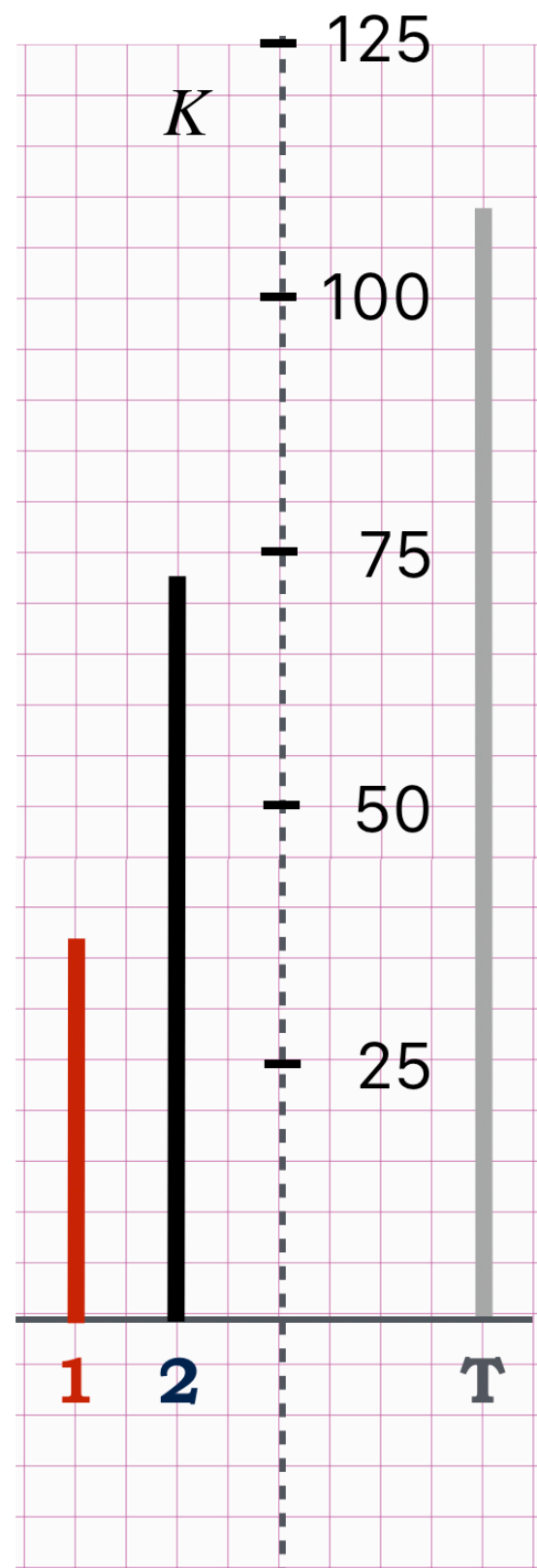
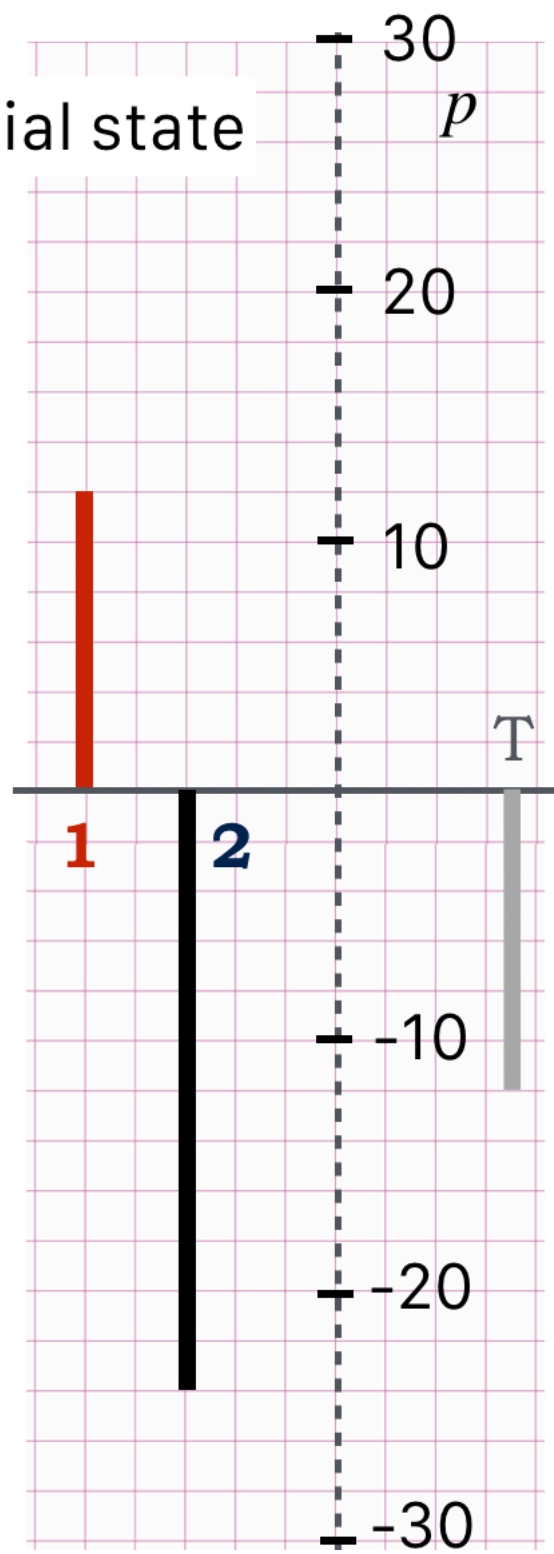


answer, show me

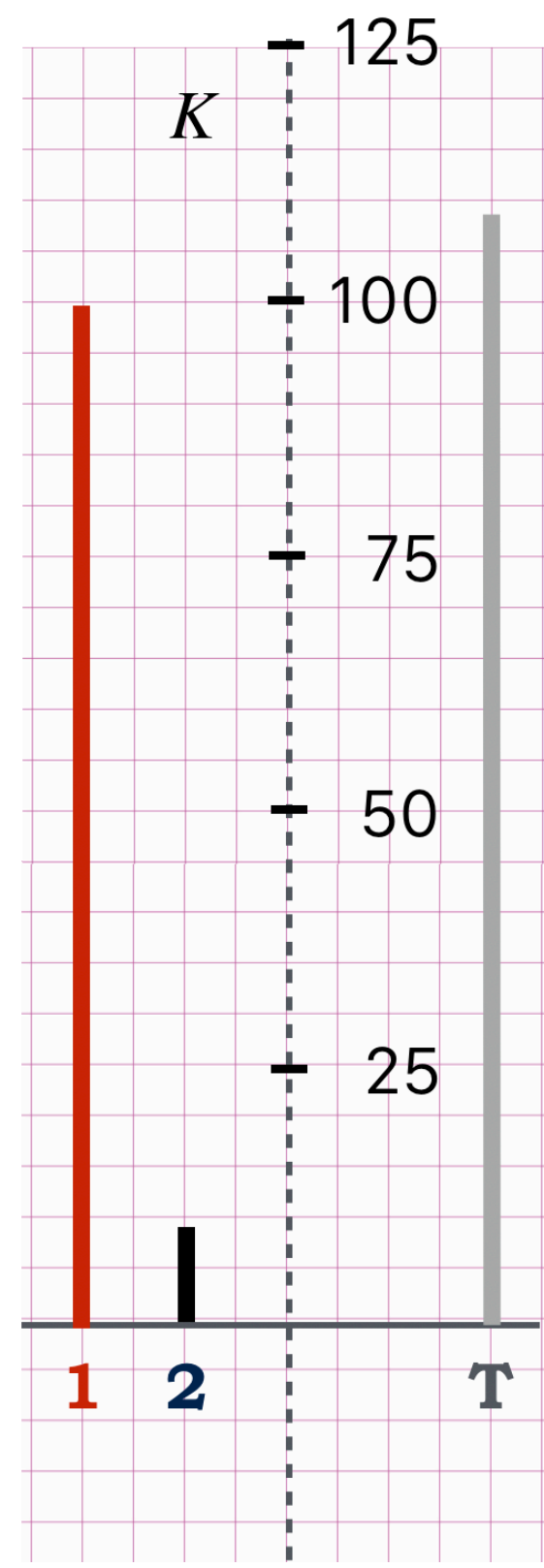
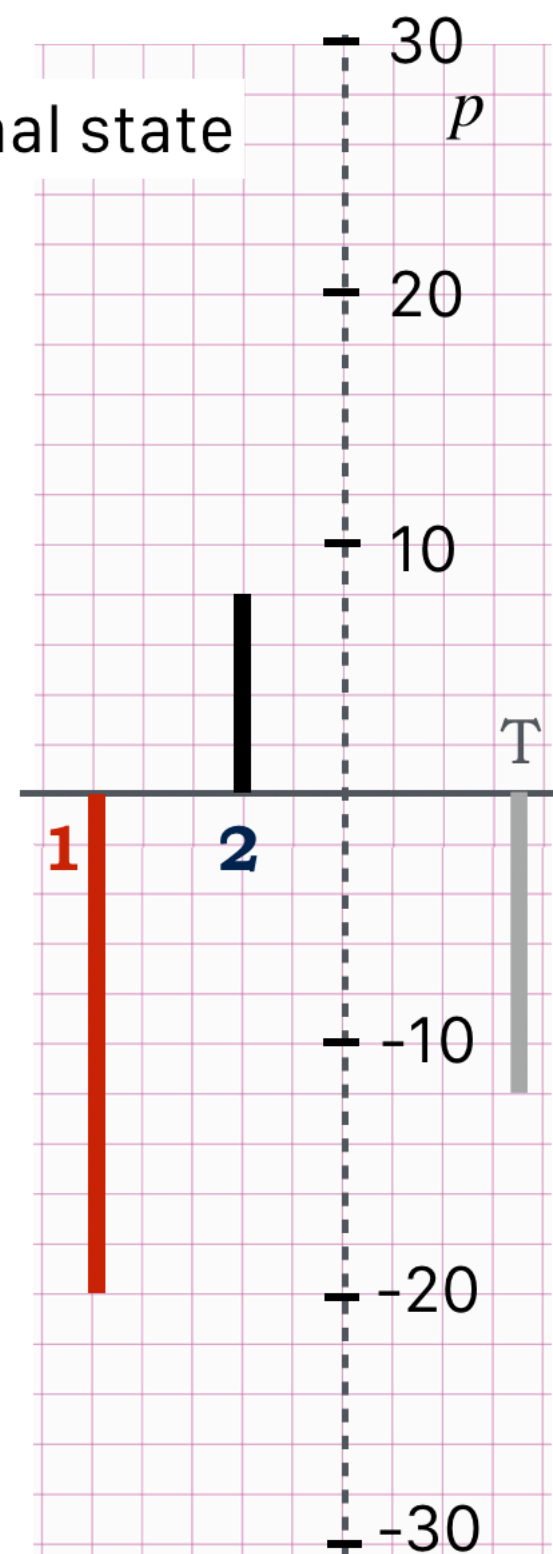
Draw the energies on your sheet!



initial state



final state



projects

